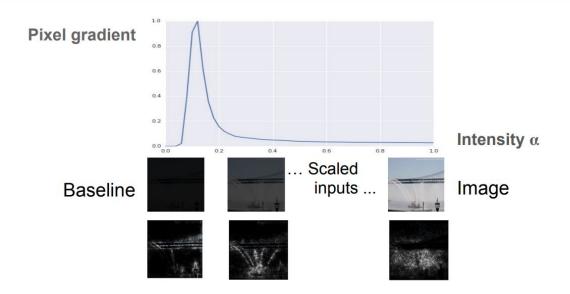
# HW3 Prep 18739

#### Agenda

- HW3 is out
  - Due April 17 Before Class
- Review of explanation methods
  - Integrated Gradients
  - Influence-Directed Explanations
  - Their Relationships
- HW 3 Overview
- Generative Models

#### **Integrated Gradients**

IG(input, base) ::= (input - base) \*  $\int_{0^{-1}} \nabla F(\alpha^* input + (1-\alpha)^* base) d\alpha$ 



#### **Integrated Gradients**

Original image



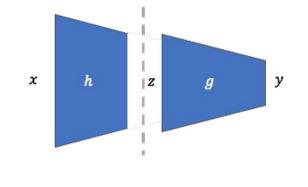
Gradient at image



#### **Integrated gradient**



#### **Influence Directed Explanations**



y = f(x) = g(h(x))

**Definition 1.** The influence of an element j in the internal representation defined by  $s = \langle g, h \rangle$  is given by

$$\chi_j^s(f, P) = \int_{\mathcal{X}} \left. \frac{\partial g}{\partial z_j} \right|_{h(\mathbf{x})} P(\mathbf{x}) d\mathbf{x} \tag{1}$$

#### **Influence Directed Explanations**





#### Comparison between the two

• Integrated Gradients:

IG(input, base) ::= (input - base) \* 
$$\int_{0^{-1}} \nabla F(\alpha^* \operatorname{input} + (1 - \alpha)^* \operatorname{base}) d\alpha$$

• Internal / Distributional Influence

**Definition 1.** The influence of an element j in the internal representation defined by  $s = \langle g, h \rangle$  is given by

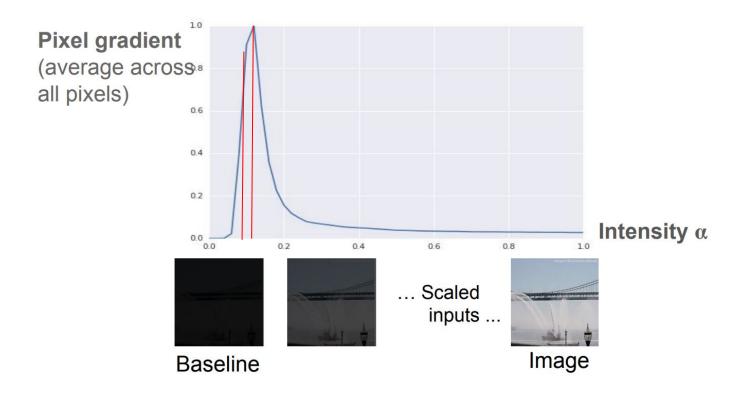
$$\chi_j^s(f, P) = \int_{\mathcal{X}} \left. \frac{\partial g}{\partial z_j} \right|_{h(\mathbf{x})} P(\mathbf{x}) d\mathbf{x} \tag{1}$$

#### Approximation Method for IG

IG(input, base) ::= (input - base) \*  $\int_{0^{-1}} \nabla F(\alpha^* input + (1-\alpha)^* base) d\alpha$ 

IntegratedGrads<sub>i</sub><sup>approx</sup>(x) ::=
$$(x_i - x'_i) \times \sum_{k=1}^{m} \frac{\partial F(x' + \frac{k}{m} \times (x - x')))}{\partial x_i} \times \frac{1}{m}$$
(3)

#### **Approximation Method**



#### **Approximation Method**

Integrated Grads<sub>i</sub><sup>approx</sup>(x) ::=  

$$(x_i - x'_i) \times \sum_{k=1}^{m} \frac{\partial F(x' + \frac{k}{m} \times (x - x')))}{\partial x_i} \times \frac{1}{m}$$
(3)

def integrated\_gradients(inp, base, label, steps=50):
 scaled\_inps = [base + (float(i)/steps)\*(inp-base) for i in range(0, steps)]
 predictions, grads = predictions\_and\_gradients(scaled\_inputs, label)
 integrated\_gradients = (img - base) \* np.average(grads, axis=0)
 return integrated\_gradients

#### **Definition 1.** The influence of an element j in the internal representation defined by $s = \langle g, h \rangle$ is given by

## $\chi_j^s(f, P) = \int_{\mathcal{X}} \left. \frac{\partial g}{\partial z_j} \right|_{h(\mathbf{x})} P(\mathbf{x}) d\mathbf{x} \tag{1}$

### HW3 Overview

- 3 Parts
- Focused Explanation of A Slice
  - What is the influence of neuron 0 towards the output class score C for an instance/Class
  - The attribution for a class is the mean attribution of every single instance in the class
  - Compare with Integrated Gradients
- Comparative Explanations
  - What is the influence of neuron 0 towards the output class score C1-C2 for an instance/Class
  - Compare with the explanations using only one class
- Model Compression Visualizing the essence of a class
  - 5 random classes
  - Find the neurons with most negative/positive influences
  - Mask the slice with selected neurons to create a binary classifier for that class

#### **Theano/Keras Overview**

- In theano, everything is a variable
  - So to take the gradient of an output (Q) with respect to an input (inpt)
  - theano.grad(Q, wrt = inpt)
- How to calculate Q from a model?
  - Quantity of interest: the influence of a neuron towards a output class c1
  - Q = T.take(variable for output, c1, axis=1) (Equivalent to numpy v[:, c1])
  - Inpt = variable for input to the layer
- How to get the variable for output/input of a certain layer in a Keras model?
  - Using Theano Backend
  - V1 = model.layers[n].output
  - V2 = model.layers[n].output
  - o W = model.layers[n].get\_weights()

#### **Top Neuron**

- Given an attribution map of slice A (50 neurons), which neuron is the most influential?
  - o **50 \* 28 \* 28**
  - Max
  - Average(sum)
- Use max for this homework
  - A neuron is influential if a feature is influential

#### Visualization

- Saliency Map
  - Compute Gradients of neuron activation wrt input pixels
  - Scale pixels of image accordingly
- You can use the same integrated influence measures
  - Path-Integrated gradients of neuron activation wrt input pixels
  - Scale pixels of image accordingly

#### **Linear Activation Layer**

```
model.add(Flatten())
model.add(Dense(4096, activation='relu'))
#model.add(Dropout(0.5))
model.add(Activation('linear'))
model.add(Dense(4096, activation='relu'))
#model.add(Dropout(0.5))
model.add(Activation('linear'))
model.add(Dense(1000, activation='linear'))
```

- Avoid overshadowing of class scores
  - Softmax tends to decrease the score of the smaller value

# Generative Models 18739

- Supervised learning
- Data (X,y)
  - X -> Data
  - Y-> Label
- Goal: Learn a function to map x->y
  - Map Image to label
- Examples:
  - Classification
  - Regression
  - Object Detection. etc.





Cat

#### Classification

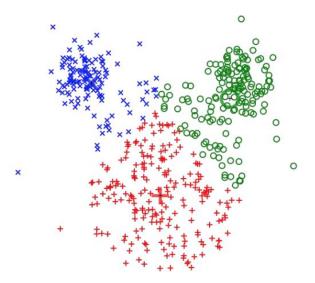
- Supervised learning
- Data (X,y)
  - X -> Data
  - Y-> Label
- Goal: Learn a function to map x->y
  - Map image to (bounding boxes, labels)
- Examples:
  - Classification
  - Regression
  - Object Detection. etc.



#### DOG, DOG, CAT

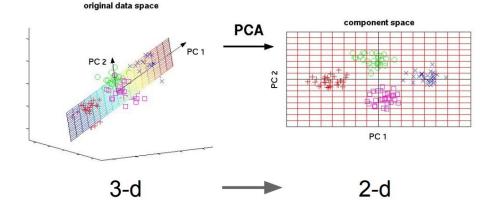
**Object Detection** 

- Unsupervised learning
- Just Data X, No Labels!
- Goal: Learn some underlying hidden structure of the data
- Examples:
  - Clustering
  - Dimensionality reduction
  - Feature learning
  - Density estimation, etc.



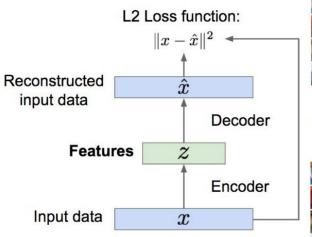
#### K-means clustering

- Unsupervised learning
- Just Data X, No Labels!
- Goal: Learn some underlying hidden structure of the data
- Examples:
  - Clustering
  - Dimensionality reduction
  - Feature learning
  - Density estimation, etc.



Principal Component Analysis (Dimensionality reduction)

- Unsupervised learning
- Just Data X, No Labels!
- Goal: Learn some underlying hidden structure of the data
- Examples:
  - Clustering
  - Dimensionality reduction
  - Feature learning
  - Density estimation, etc.



Reconstructed data

Encoder: 4-layer conv Decoder: 4-layer upconv



Autoencoders (Feature learning)

#### Supervised Learning

- Data (X,y)
  - o X -> Data
  - Y-> Label
- Goal: Learn a function to map x->y
  - Map Image to label
- Examples:
  - Classification
  - Regression
  - Object Detection. etc.

#### **Unsupervised Learning**

- Just Data X, No Labels!
- Goal: Learn some underlying hidden structure of the data
- Examples:
  - Clustering
  - Dimensionality reduction
  - Feature learning
  - Density estimation, etc.

#### Advantages of Unsupervised Learning

- Training Data is cheap!
- Solve unsupervised learning => understand structure of visual world
- Representation => Understanding => Explanations

#### **Generative Model**

Given training data, generate new samples from same distribution

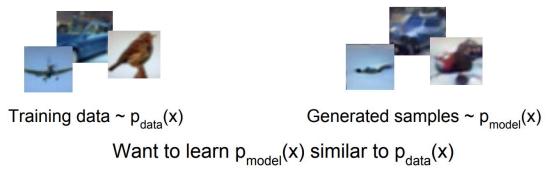




Training data ~  $p_{data}(x)$  Generated samples ~  $p_{model}(x)$ Want to learn  $p_{model}(x)$  similar to  $p_{data}(x)$ 

#### **Generative Model**

Given training data, generate new samples from same distribution



Addresses density estimation, a core problem in unsupervised learning

Several flavors:

- Explicit density estimation: explicitly define and solve for pmodel(x)
- Implicit density estimation: learn model that can sample from pmodel(x) w/o explicitly defining it

#### **Generative Model**

• Realistic samples for artwork, super-resolution, colorization, etc.



- Generative models of time-series data can be used for simulation and planning (reinforcement learning applications!)
- Training generative models can also enable inference of latent representations that can be useful as general features

#### **Generative Adversarial Network**

• Estimate the implicity density of image space



• Next Class

#### References

• http://cs231n.stanford.edu/slides/2017/cs231n\_2017\_lecture13.pdf