



# Models and Functionality of the SGRS Simulator based on DYMONDS

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## How It all started—hindsight view

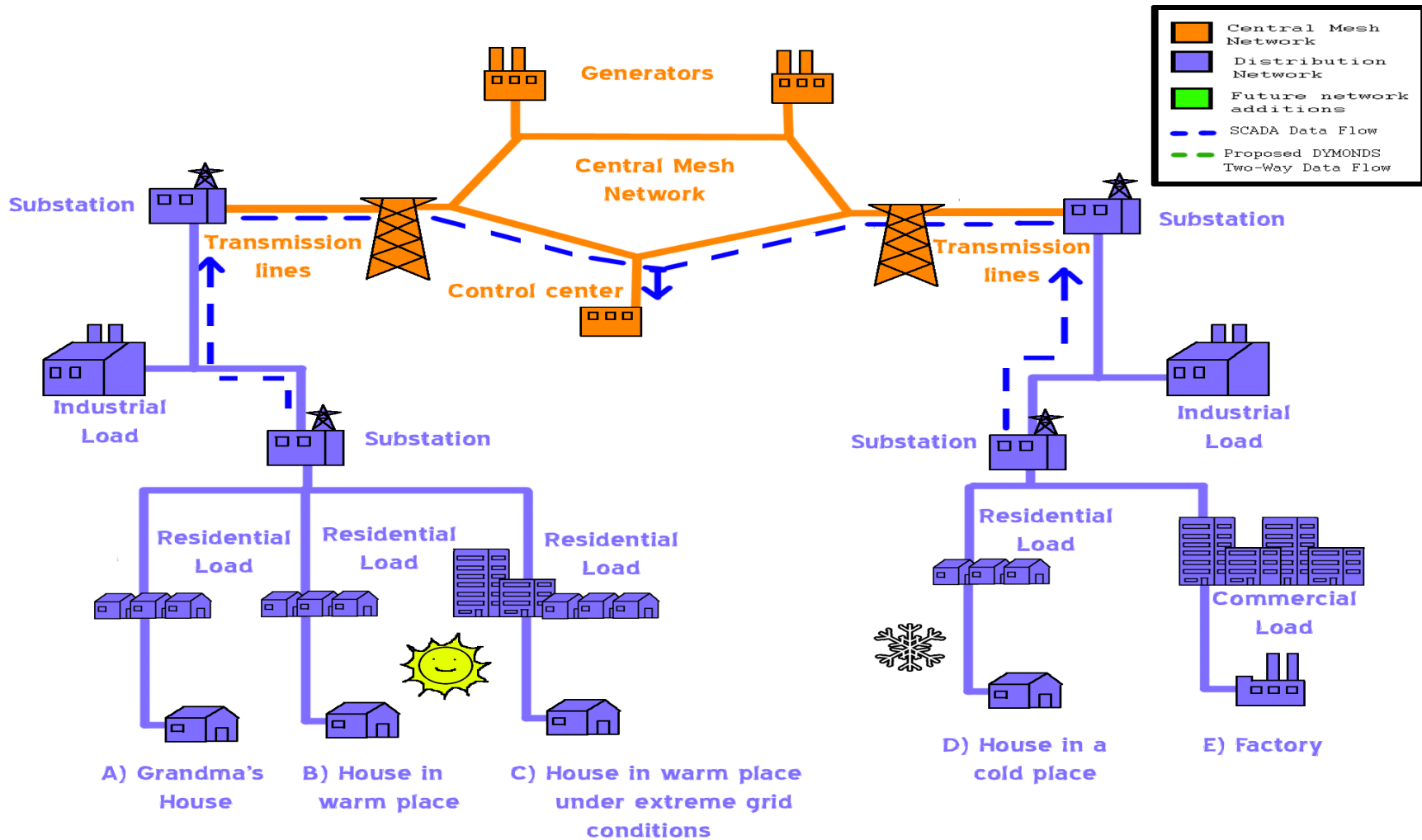
- Innovation in power systems hard and slow
- Outdated assumptions in the new environment
- No simulators to emulate time evolution of complex event driven states
- Fundamental need for more user-friendly innovation/technology transfer
- General simulators (architecture, data driven) vs. power systems simulations (physics-based, specific phenomena separately)
- Missing modeling for provable control design
- Difficult to define performance objectives at different industry layers; coordination of interactions between the layers for system-wide reliability and efficiency ; tradeoff between complexity and performance
- Challenge of managing multiple performance objectives

- EESG Ilic group <http://www.eesg.ece.cmu.edu/>
- Dynamic Monitoring and Decision Systems (DyMonDS) framework for enabling smart SCADA; direct link with sustainability (enabler of clean, reliable and efficient integration of new resources); main role of interactive physics – based modeling for IT/cyber
- Cooperative effort with National Institute of Standards (NIST) for building Smart Grid in a Room Simulator (SGRS)
- \*\*\*Recent new unifying modeling in support of DyMonDS\*\*\*

# Fundamental challenge

- Modeling/operating new paradigm; education to support evolution from today's approaches
- The key role of smarts in implementing sustainable socio-ecological energy systems
- New physics-based modeling
- Emerging cyber paradigms
  - for micro-grids
  - for bulk- power grids
  - for hybrid power grids
  - assumptions made and their implications

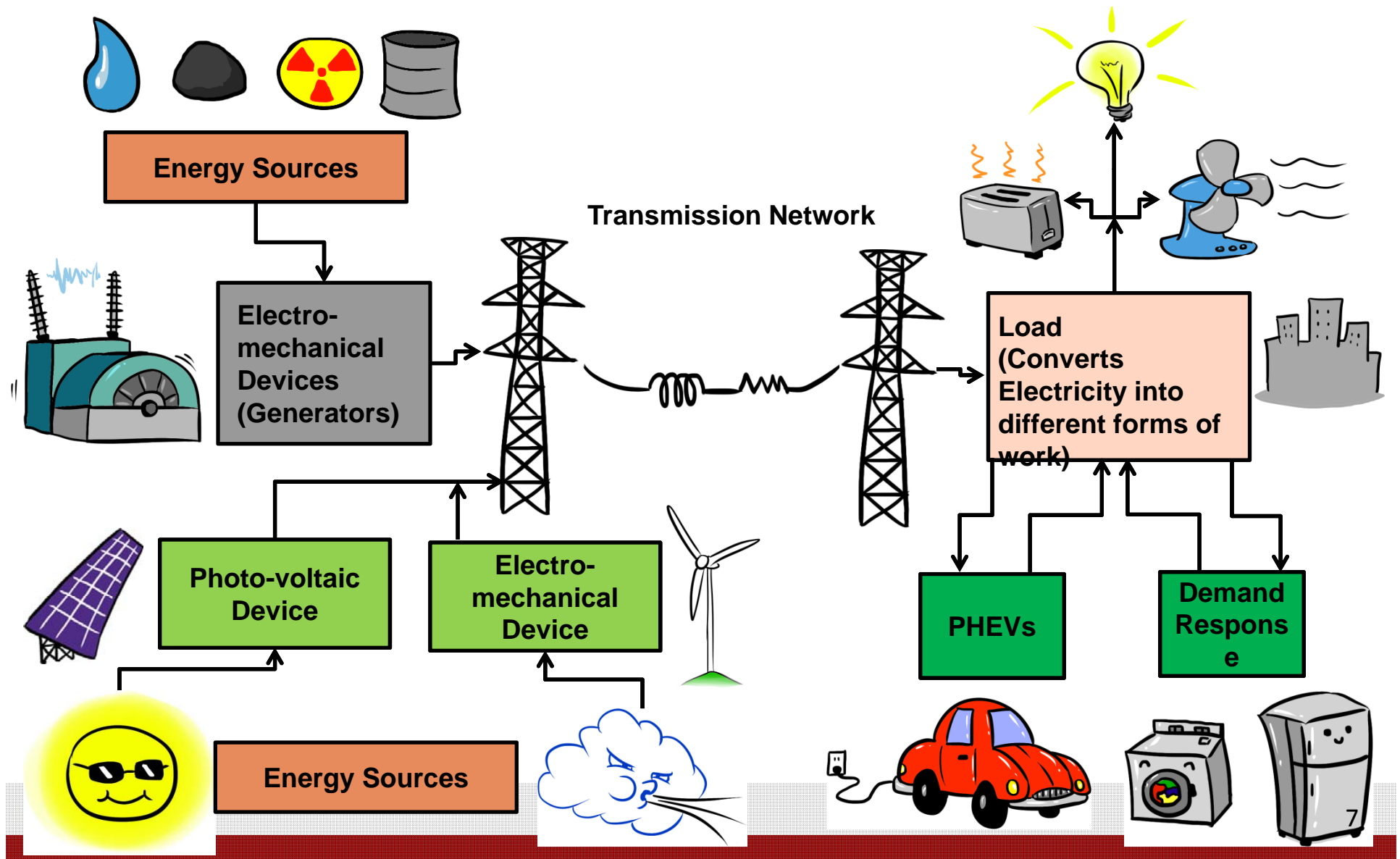
# Basic cyber system today –backbone SCADA



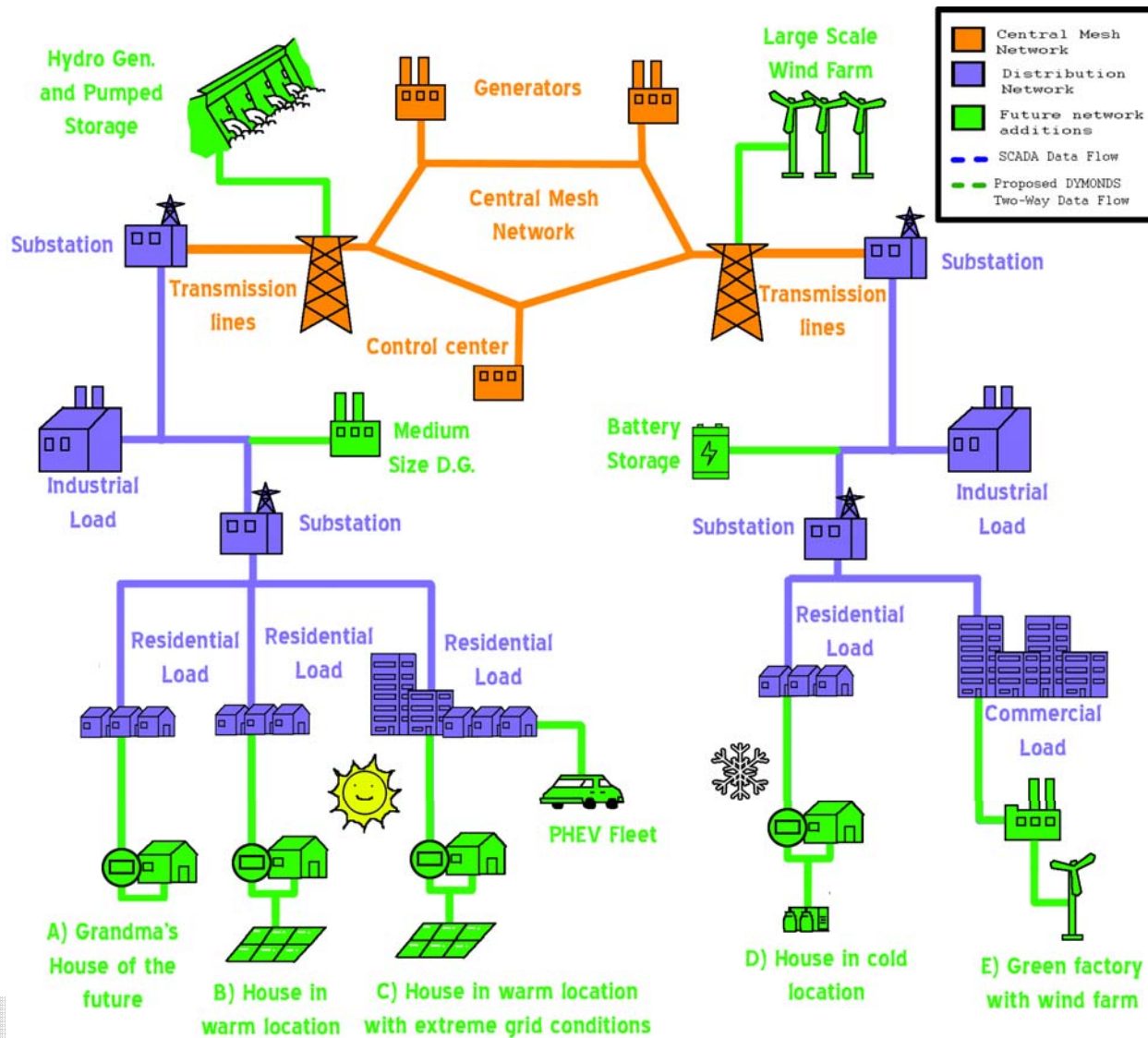
## Recent pilot experiments

- Industry-government(-academia) collaborations on hardware for smart grids
- University campuses (“micro-grids”) –UCSD, IIT Chicago
- Utilities deploying AMIs, synchrophasors (PMUs)
- Lessons learned—Familiarity with new smart hardware
- The remaining challenge (protocols for systematic integration of scalable technologies at value)

# Lessons learned from pilot experiments—familiarity with new hardware (AMIs, PMUs, PHEVs, EVs, microgrids)

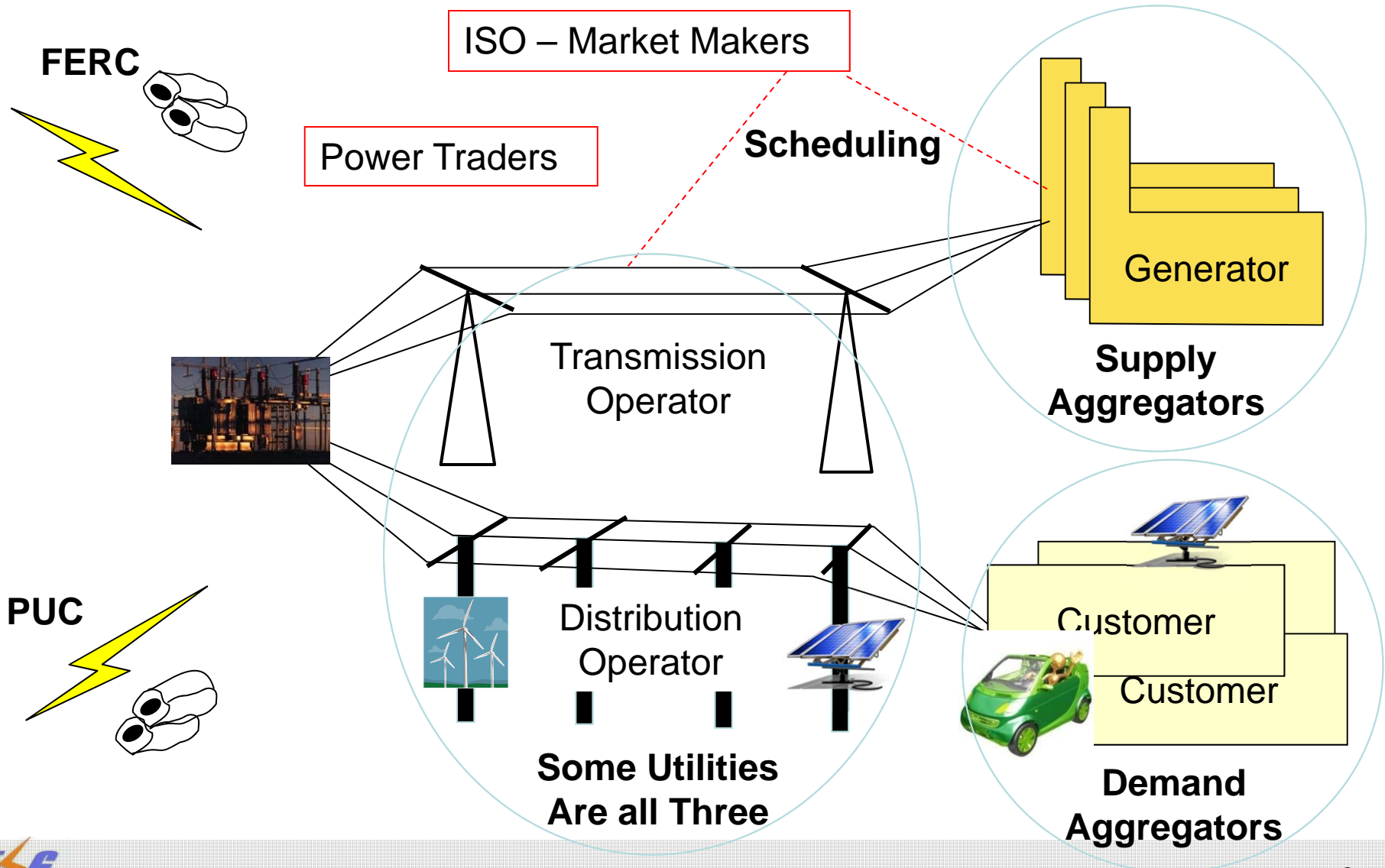


# Future Smart Grid (Physical system)

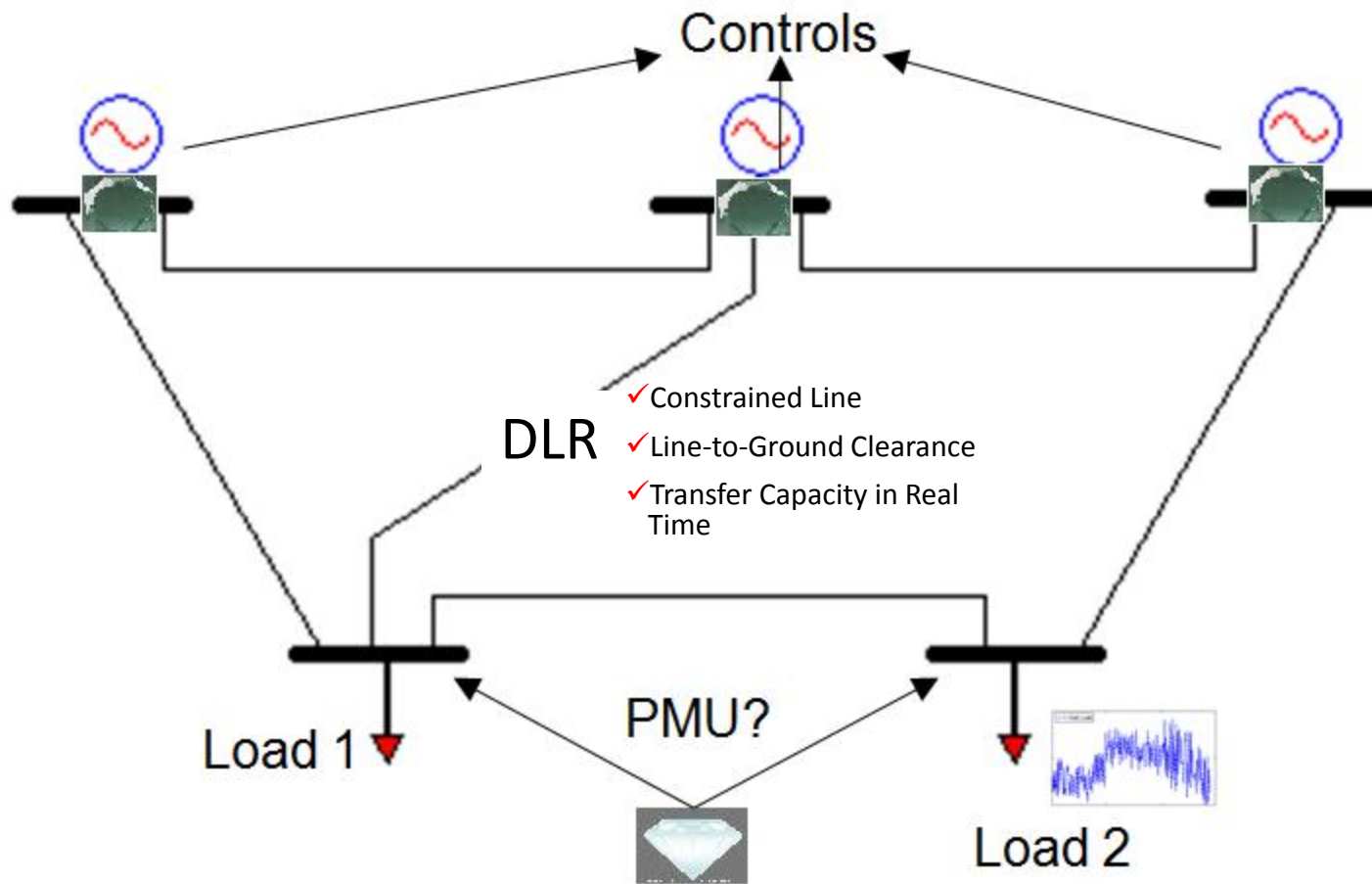





# Contextual complexity



# Potential of Measurements, Communications and Control

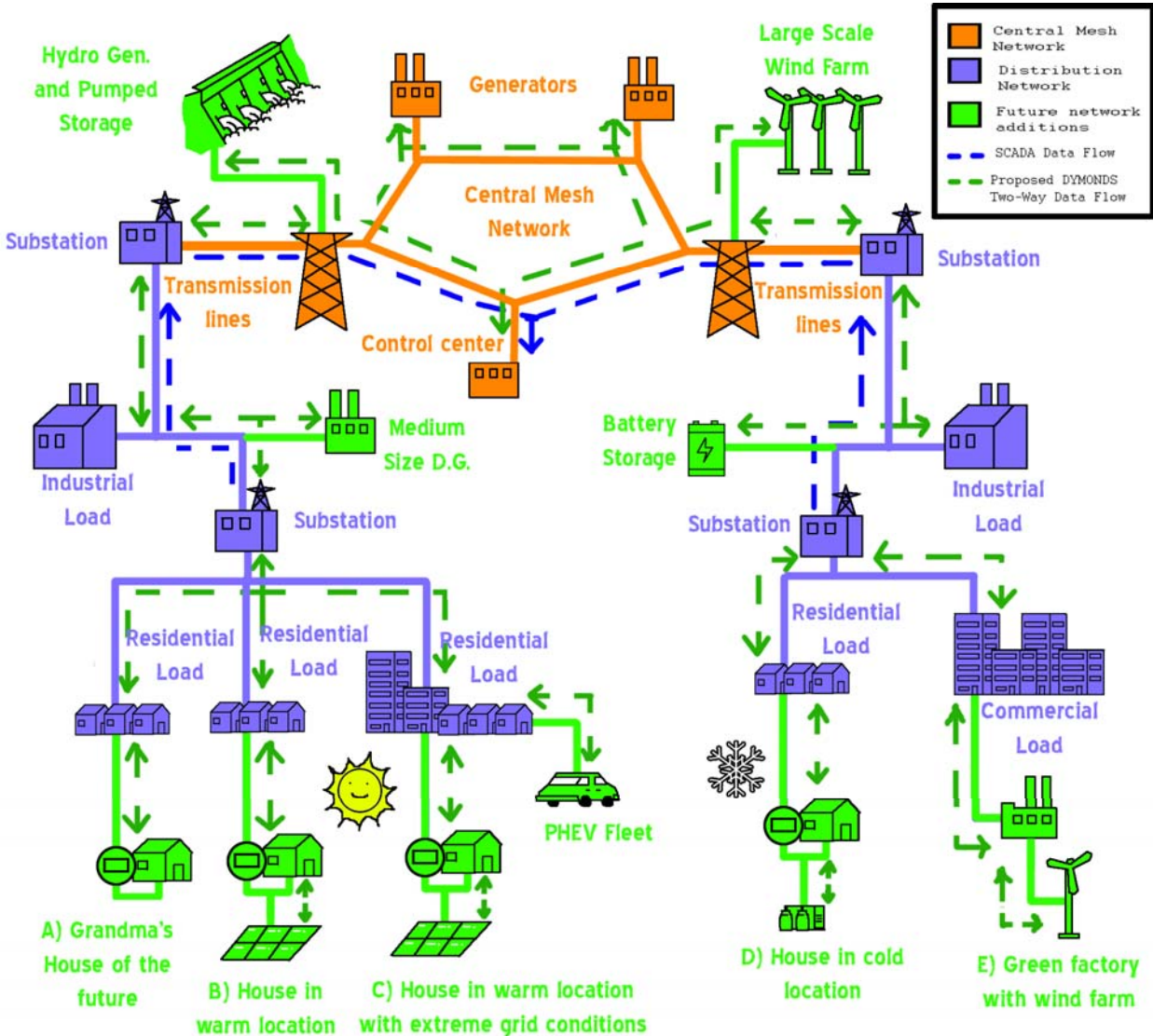


 PMU       Control

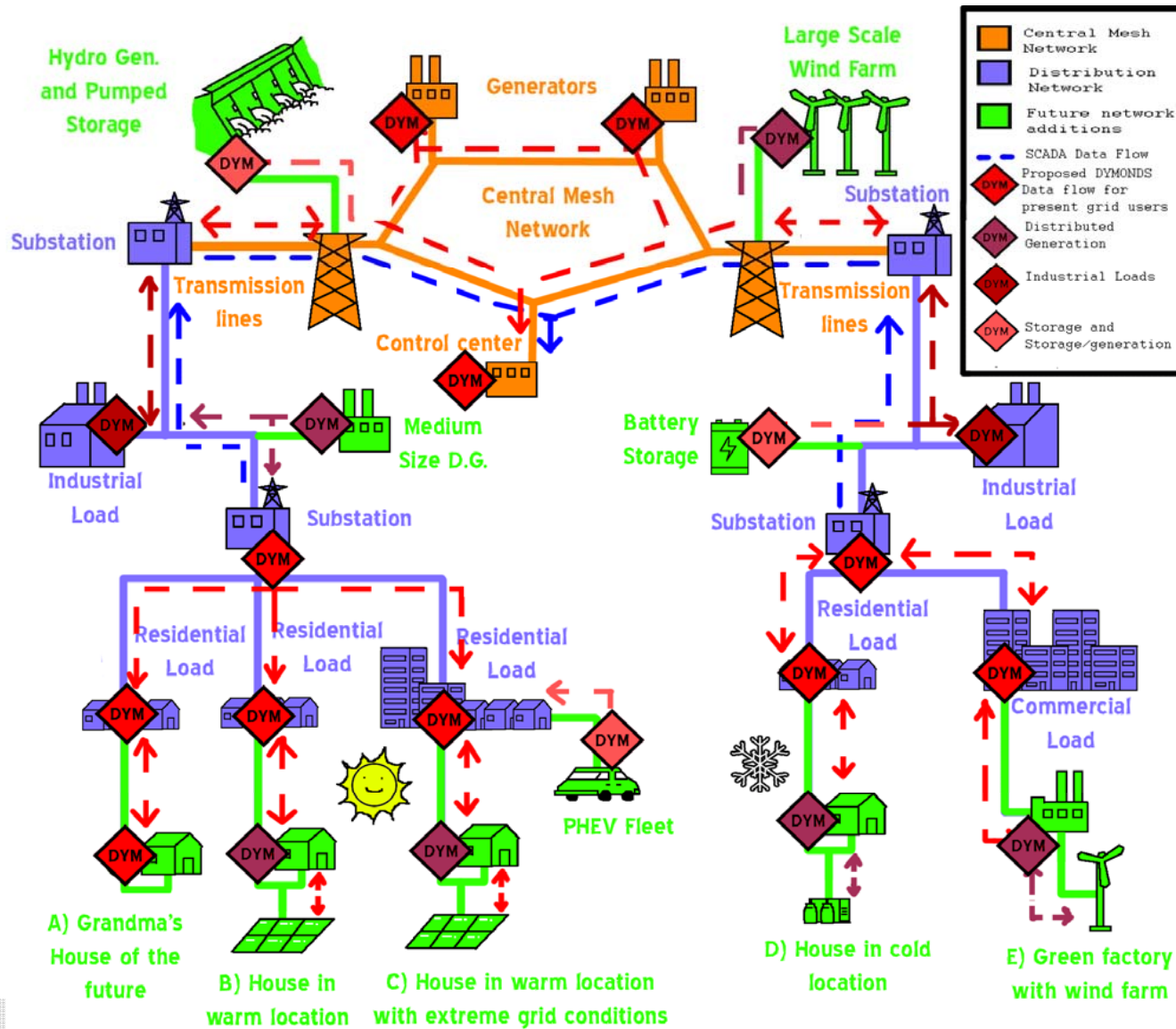
## Critical: Transform SCADA

- From single top-down coordinating management to the multi-directional multi-layered interactive IT exchange.
- At CMU we call such transformed SCADA Dynamic Monitoring and Decision Systems (DYMONDS) and have worked with industry and government on: (1) new models to define what is the type and rate of key IT exchange; (2) new decision tools for self-commitment and clearing such commitments. \http://www.eesg.ece.cmu.edu.

# New SCADA



# DYMONDS-enabled Physical Grid



# “Smart Grid” ↔ electric power grid and ICT for sustainable energy systems

## Core Energy Variables

- Resource system (RS)
- Generation (RUs)
- Electric Energy Users (Us)

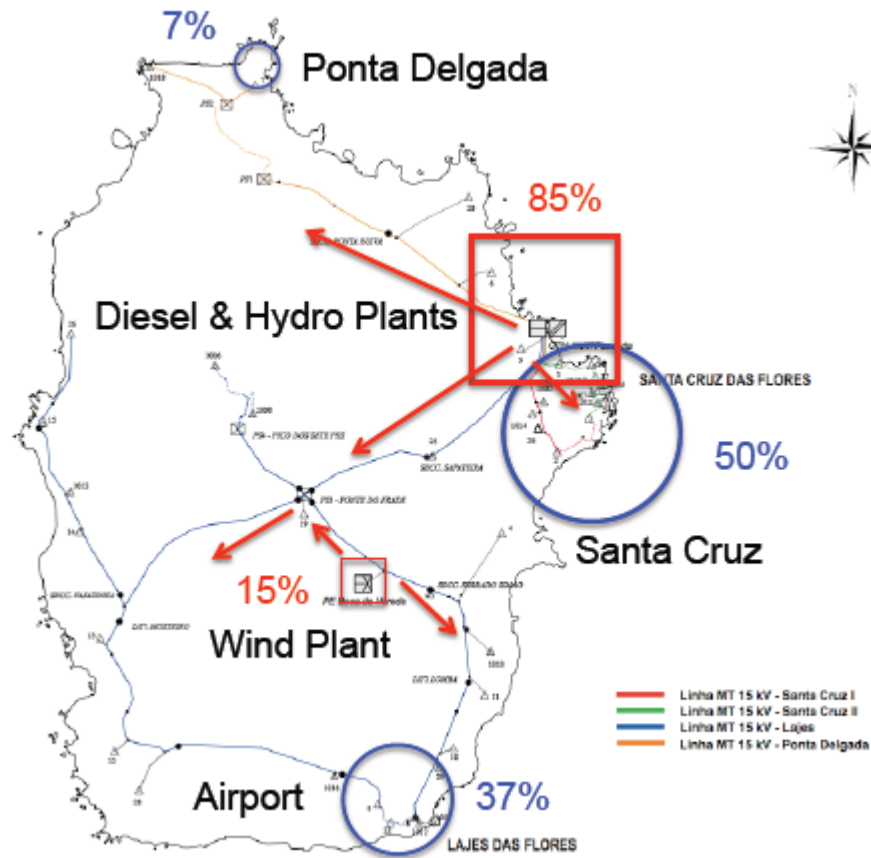
## Man-made Grid

- Physical network connecting energy generation and consumers
- **Needed to implement interactions**

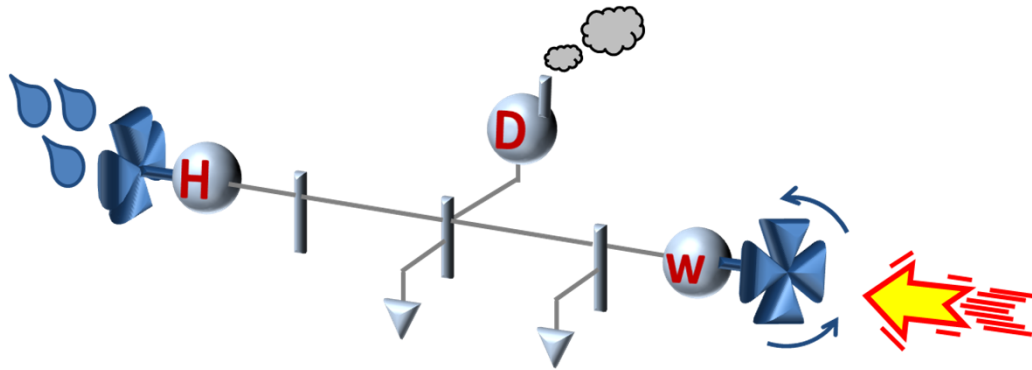
## Man-made ICT

- Sensors
- Communications
- Operations
- Decisions and control
- Protection
- **Needed to align interactions**

# From old to new paradigm—Flores Island Power System, Portugal



## Controllable components—today's operations (very little dynamic control, sensing)

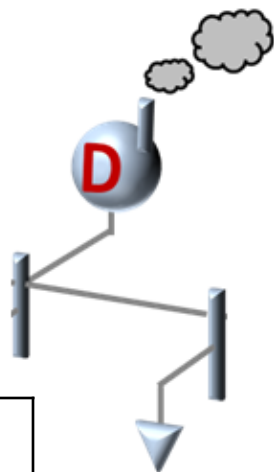


**H** – Hydro  
**D** – Diesel  
**W** – Wind

\*Sketch by Milos Cvetkovic



# Two Bus Equivalent of the Flores Island Power System



State	Equilibrium
$e'_q [pu]$	0.9797
$\delta [rad]$	0.0173
$\omega [pu]$	1
$v_r [pu]$	0.8527
$e_{fd} [pu]$	0.7482
$v_f [pu]$	0
$P_m [pu]$	0.01
$a [pu]$	0

Generator	Diesel
$x_d [pu]$	8.15
$x_q [pu]$	8.15
$x'_d [pu]$	0.5917
$x'_q [pu]$	0.5917
$T'_{q0} [s]$	2.35
$T'_{d0} [s]$	2.35
$J [s]$	2.26
$D [pu]$	0.005

Transmission line	From Diesel to Load bus
$R [pu]$	0.3071
$L [pu]$	0.1695

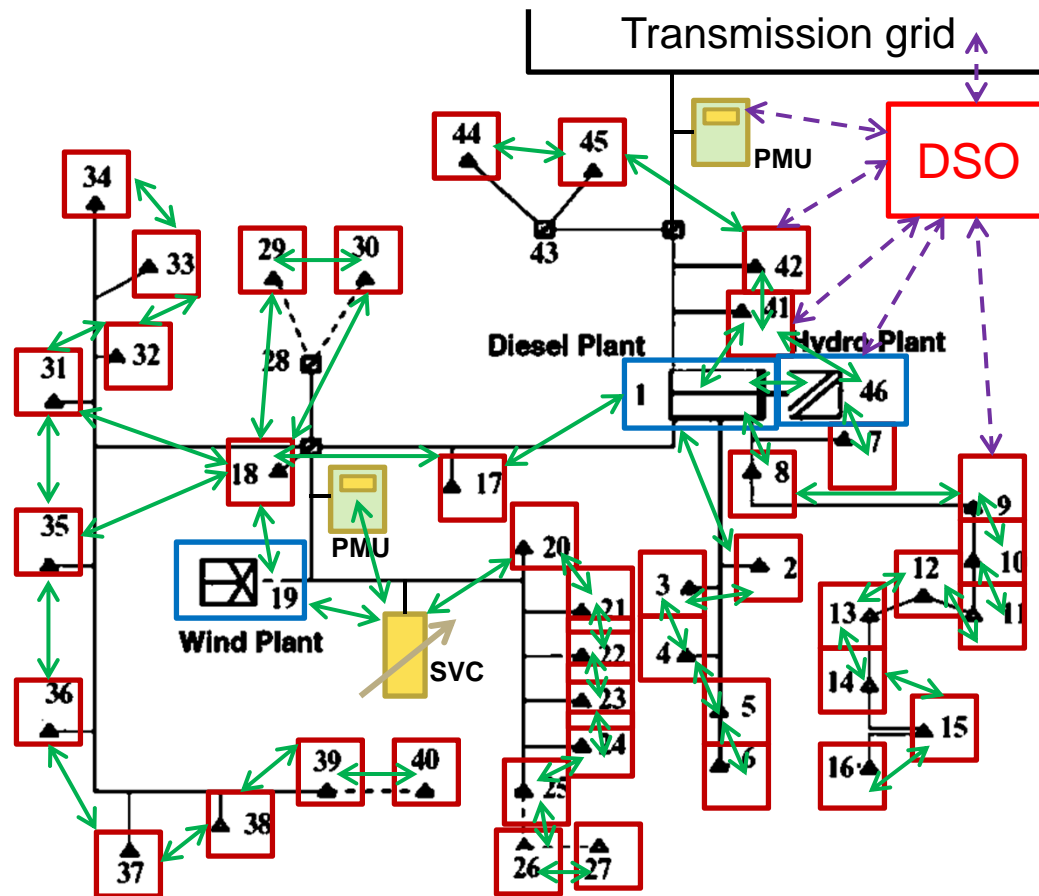
Base values  
 $S_b = 10MVA$   
 $V_b = 15KV$

AVR	Diesel
$K_A [pu]$	400
$T_A [s]$	0.02
$K_E [pu]$	1.3
$T_E [s]$	1
$S_E [pu]$	0.1667
$K_F [pu]$	0.03
$T_F [s]$	1

Governor	Diesel
$k_t [pu]$	40
$T_g [s]$	0.6
$r [pu]$	1/0.03
$T_t [s]$	0.2

Base values  $S_b = 10MVA, V_b = 0.4KV$

# Information exchange in the case of Flores---new (lots of dynamic control and sensing)



LEGEND	
	Load Module
	General-Generator Module (Abstract Class)
	DSO Module
	Wire Module
	Power-electronics Module
	Phasor Measurement Units
	Dynamic Purpose Communication
	Market and Equipment Status Communication

# Smart grid --- multi-layered interactive dynamical system

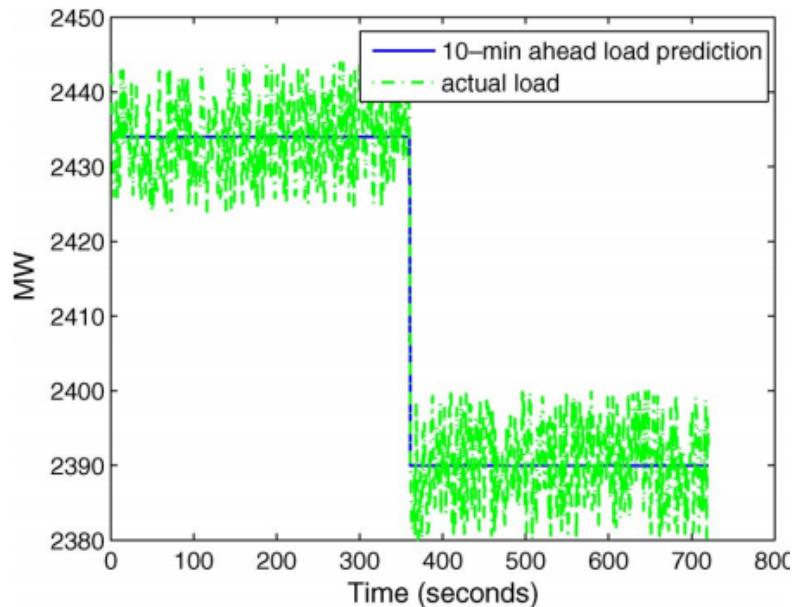
- Requires new modelling approach
- Key departures from the conventional power systems modeling
  - system is *\*never\** at an equilibrium
  - all components are dynamic (spatially and temporally); often actively controlled
  - 60Hz component may not be the dominant periodic signal
  - system dynamics determined by both internal (modular) actions and modular interactions
- Groups of components (module) represented in standard state space form

# Comparison of today's and emerging dynamic systems

- Small system example
- Qualitatively different disturbances require different dynamic models
  - Case 1: zero mean disturbance; static load model
  - Case 2: non zero mean disturbance; load a dynamic distributed energy resource (DER)
- **Short summary of modeling assumptions for today's hierarchical control (Case 1)**
- Critical issues with static load modeling and its implications on system feasibility
  - Importance of Q
- Critical issues with non zero mean disturbance
  - Steady state 60 Hz and nominal voltage assumption may not hold
- **Proposed unifying dynamic modeling –Basis for DyMoNDS (Case 2)**
  - All components are dynamic (ODEs; discrete time models); based on systematic temporal model reduction
  - Has inherent spatial structure (multi-layered interactive models)
  - Interactive information exchange (no longer top-down only) to ensure consistent implementation of multi-layered control architecture

# Case 1: zero mean disturbance & static load model

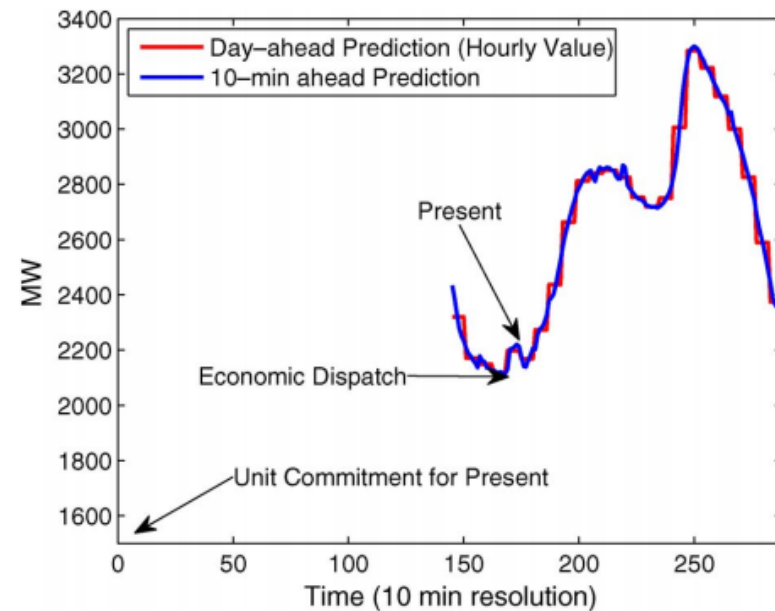
- Assumed zero-mean deviation from prediction  $\Rightarrow$  equilibria conditions



**Fig. 3.** 10-min-ahead load prediction and second-by-second actual load.

$$L(t) = \hat{L}[H] + \Delta_{LH}(t)$$

$$L(t) = \hat{L}[k] + \Delta_{Lk}(t)$$



**Fig. 2.** Day-ahead and 10-min-ahead load prediction, and timing of UC and ED functions.

$$\|\hat{L}[H]\| \gg \|\Delta_{LH}(t)\|$$

$$\|\Delta_{LH}(t)\| > \|\Delta_{Lk}(t)\|.$$

## Small example of today's power system

- Modelling assumptions

- **Static** load+Disturbance ( $P_L + jQ_L; R_L + jX_L$ )

- **NO** transmission system dynamics

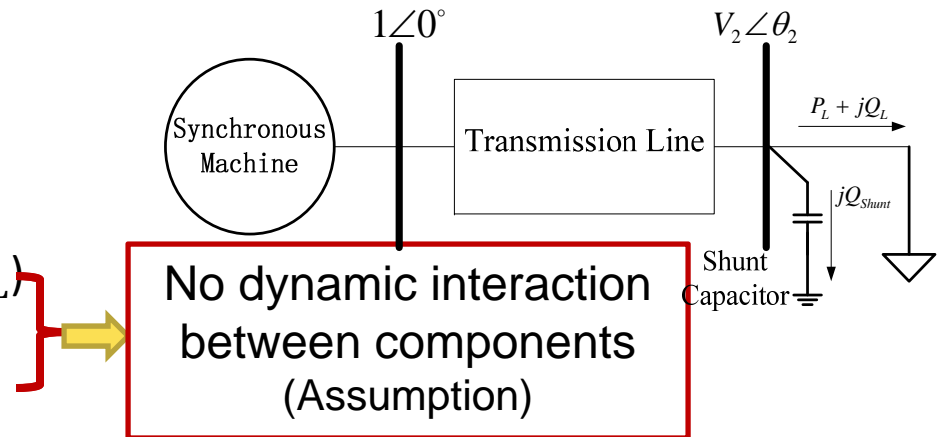
- Load disturbance much smaller than predicted load components

- Synchronous machine is the only locally controlled dynamic component

- Primary control cancels the effects of  $\Delta_{Lk}(t)$  (*Governor / AVR stabilization*)

- Secondary control cancels the effects of  $\Delta_{LH}(t)$  (*Steady state regulation*)

- Tertiary control balances  $\hat{L}[H]$  and  $\hat{L}[k]$  (*Steady state scheduling*)



### Basis for hierarchical control (top down info flow)

- Equilibria (steady state model) separable from stabilization (dynamic model)

- No bottom-up information required from components to system level

# Effects of load modelling assumptions on system feasibility in today's operation scheduling – Constant PQ Load


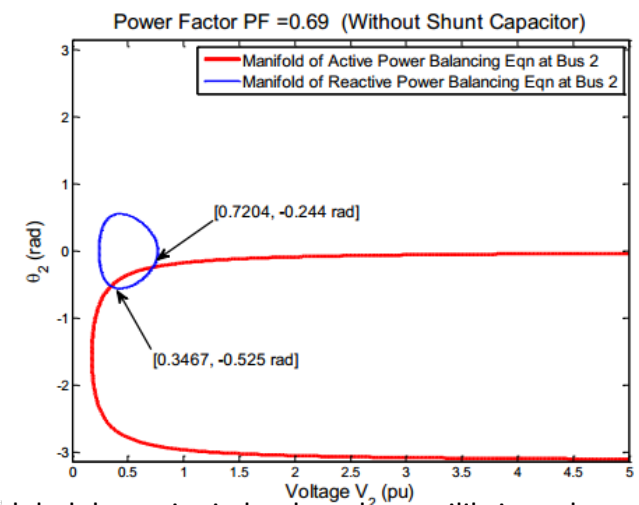
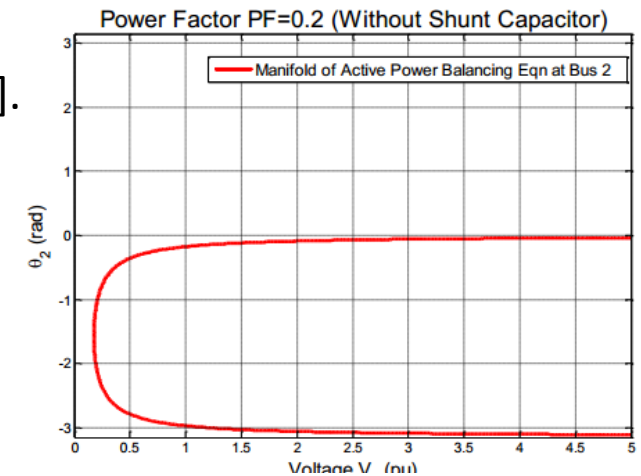
- Scheduling equilibria (steady state) model is obtained assuming perfect stabilization and regulation  Power flow equations
- Feasibility results are dependent on load model used [1].

TABLE I. LOAD PROFILE & SYSTEM PARAMETER

	<i>Small <math>Q_L</math></i>	<i>Medium <math>Q_L</math></i>	<i>Large <math>Q_L</math></i>
<i>Active Power <math>P_L</math> (pu)</i>	1.736	1.736	1.736
<i>Reactive Power <math>Q_L</math> (pu)</i>	0.2	1.8	7.848
<i>Power Factor</i>	0.99	0.69	0.2

TABLE II. POSSIBLE SOLUTIONS WITH SHUNT CAPACITOR

	<i>Small <math>Q_L</math></i>	<i>Medium <math>Q_L</math></i>	<i>Large <math>Q_L</math></i>
<i>Number of Solutions</i>	2	2	0
<i>Solution Set I</i>	$\begin{cases} V_2 = 0.9615 \\ \theta_2 = -0.18 \\ \text{Feasible} \end{cases}$	$\begin{cases} V_2 = 0.7204 \\ \theta_2 = -0.244 \\ \text{Non-feasible} \end{cases}$	N/A
<i>Solution Set II</i>	$\begin{cases} V_2 = 0.182 \\ \theta_2 = -1.27 \\ \text{Non-feasible} \end{cases}$	$\begin{cases} V_2 = 0.3467 \\ \theta_2 = -0.525 \\ \text{Non-feasible} \end{cases}$	N/A

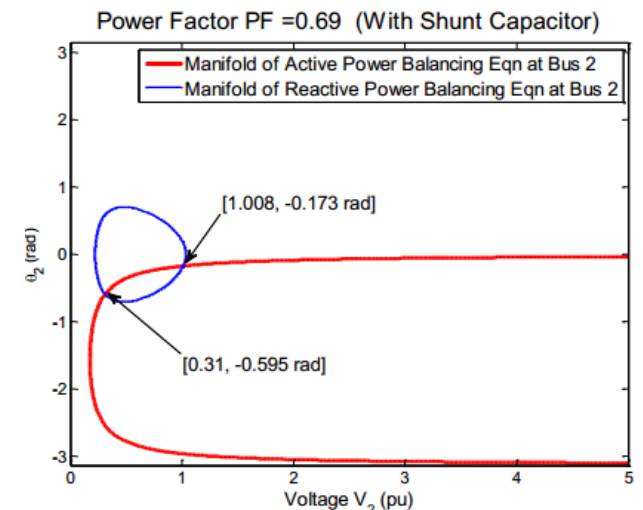
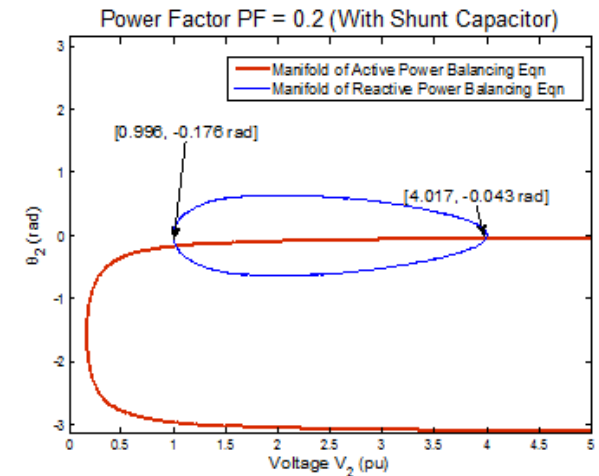


# Effects of load modelling assumptions on system feasibility and stability in today's operation

- Scheduling equilibria (steady state) model is obtained assuming perfect stabilization and regulation  $\rightarrow$  Power flow equations
- Feasibility results are dependent on load model used [1].

TABLE III. POSSIBLE SOLUTIONS WITH SHUNT CAPACITOR

	<i>Medium <math>Q_L</math></i>	<i>Large <math>Q_L</math></i>
<i>Shunt Capacitor <math>B_{sh}</math> (pu)</i>	2	8
<i>Number of Solutions</i>	2	2
<i>Solution Set I</i>	$\begin{cases} V_2 = 1.008 \\ \theta_2 = -0.173 \\ \text{Feasible} \end{cases}$	$\begin{cases} V_2 = 0.996 \\ \theta_2 = -0.176 \\ \text{Feasible} \end{cases}$
<i>Solution Set II</i>	$\begin{cases} V_2 = 0.31 \\ \theta_2 = -0.595 \\ \text{Non-feasible} \end{cases}$	$\begin{cases} V_2 = 4.017 \\ \theta_2 = -0.043 \\ \text{Non-feasible} \end{cases}$

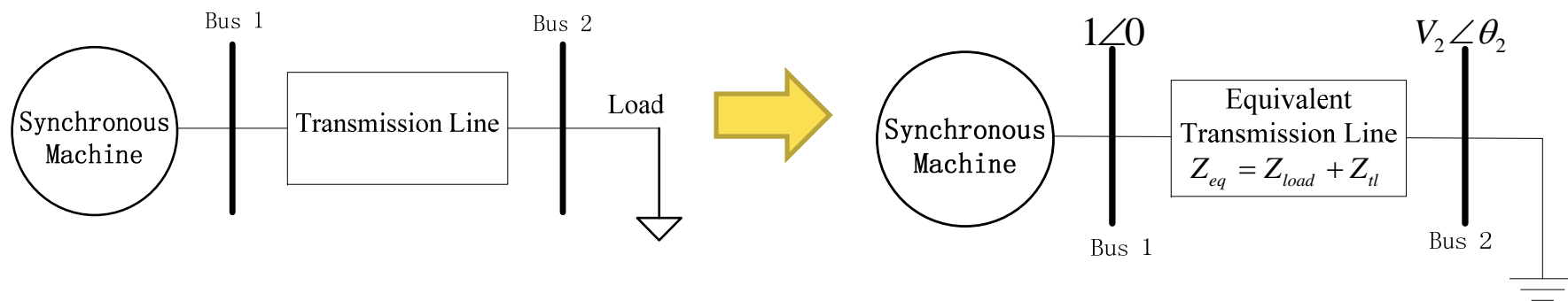


[1] X. Miao, K.D. Bachovchin, M. D. Ilic . Effect of load type and unmodeled dynamics in load on the equilibria and stability of electric power system. Submitted to CDC 2015



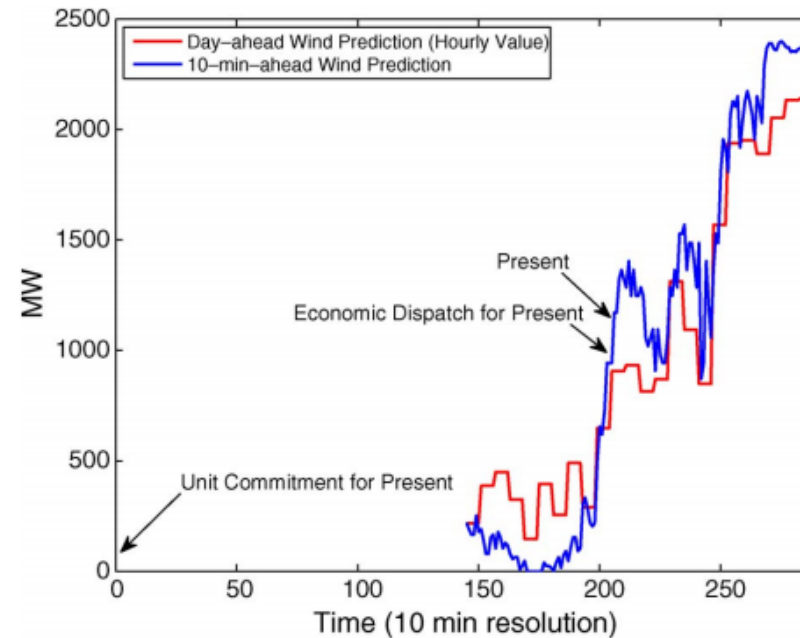
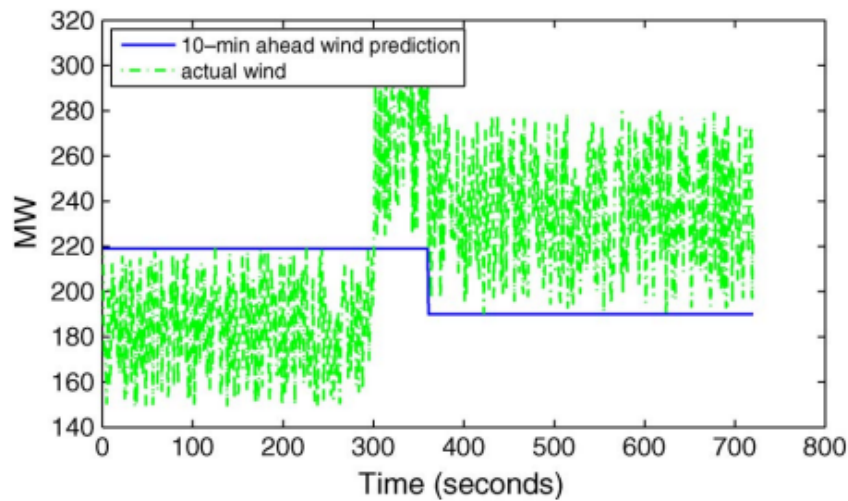
# Effects of load modelling assumptions on system feasibility in today's operation scheduling – Constant Impedance

- **Theorem [1]:** With a constant impedance load, there is always one unique solution. Conditions in terms of the line and load impedance can be found for when this solution is feasible.
- Maximum power transfer achievable when  $Z_{Load} = Z_{Line}^*$  (capacitive load compensation) ➡ High voltage problems
- For  $V_{load} \in [0.95 - 1.05 \text{ p.u.}]$ , we need:  $0.95 |Z_{eq}| \leq |Z_{load}| \leq 1.05 |Z_{eq}|$



# Wind power disturbance – multiple time scales

- Observe the non-zero mean deviation from prediction → disequilibria conditions



$$P_{Gw}(t) = \hat{P}_{Gw}[H] + \Delta_{Gw_H}(t)$$

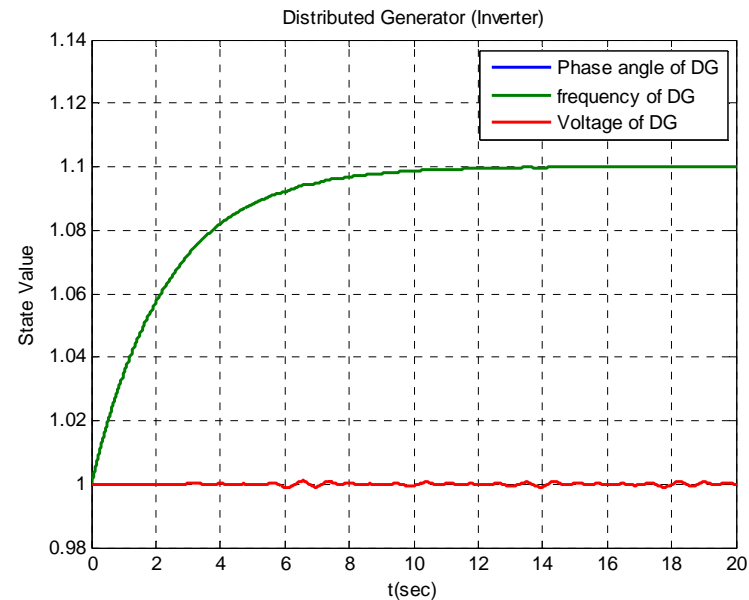
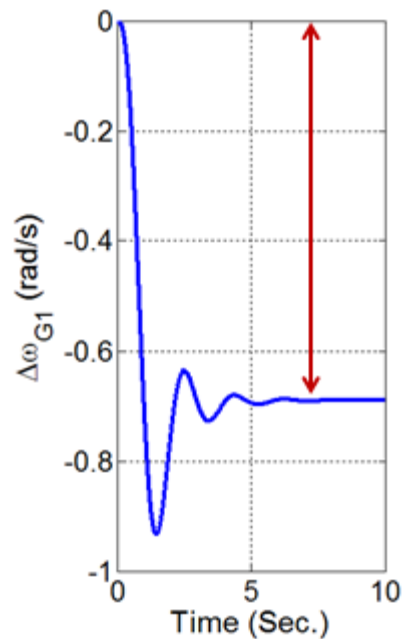
$$P_{Gw}(t) = \hat{P}_{Gw}[k] + \Delta_{Gw_k}(t)$$

$$\|\Delta_{Gw_H}(t)\| \gg \|\Delta_{Gw_k}(t)\|$$

$$\|\hat{P}_{Gw}[k]\| \gg \|\Delta_{Gw_k}(t)\|$$

# Fundamental effect of non-zero mean disturbance

- Synchronous machine with non zero mean disturbance in real power load
  - Structural singularity [2]
- Wind power plant with power electronics connected to constant impedance load [3]



# Multi-temporal dynamic model of controllable load (DER)—stand-alone module level

- DER dynamics replaces static load and is modeled as any other dynamic component with non zero exogenous disturbance

$$\dot{x}_i(t) = f_i(x_i(t), x_j(t), u_i(t), m_i(t))$$

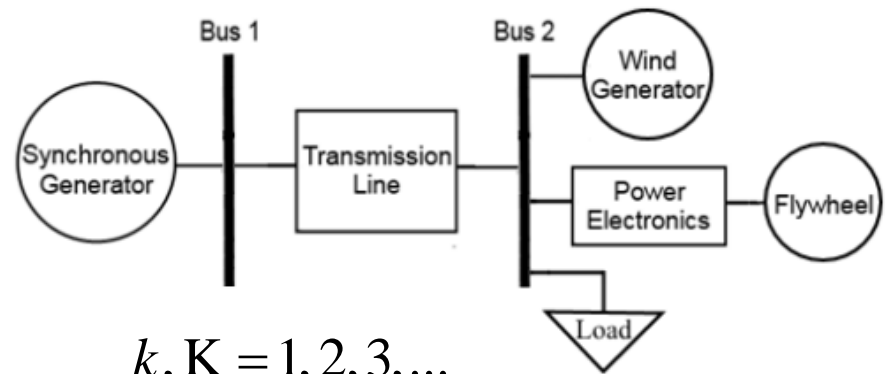
$$x_i(0) = x_{i0}$$

$$m_i(t) = M_i[K \cdot T_M] + M_i[k \cdot T_s] + \Delta m_i(t)$$

where  $m_i(t)$  – Exogenous input

$x_i(t)$  – State variable of Module  $i$

$x_j(t)$  – State variable of Module  $j$ ,  $j \in C_i$



$k, K = 1, 2, 3, \dots$

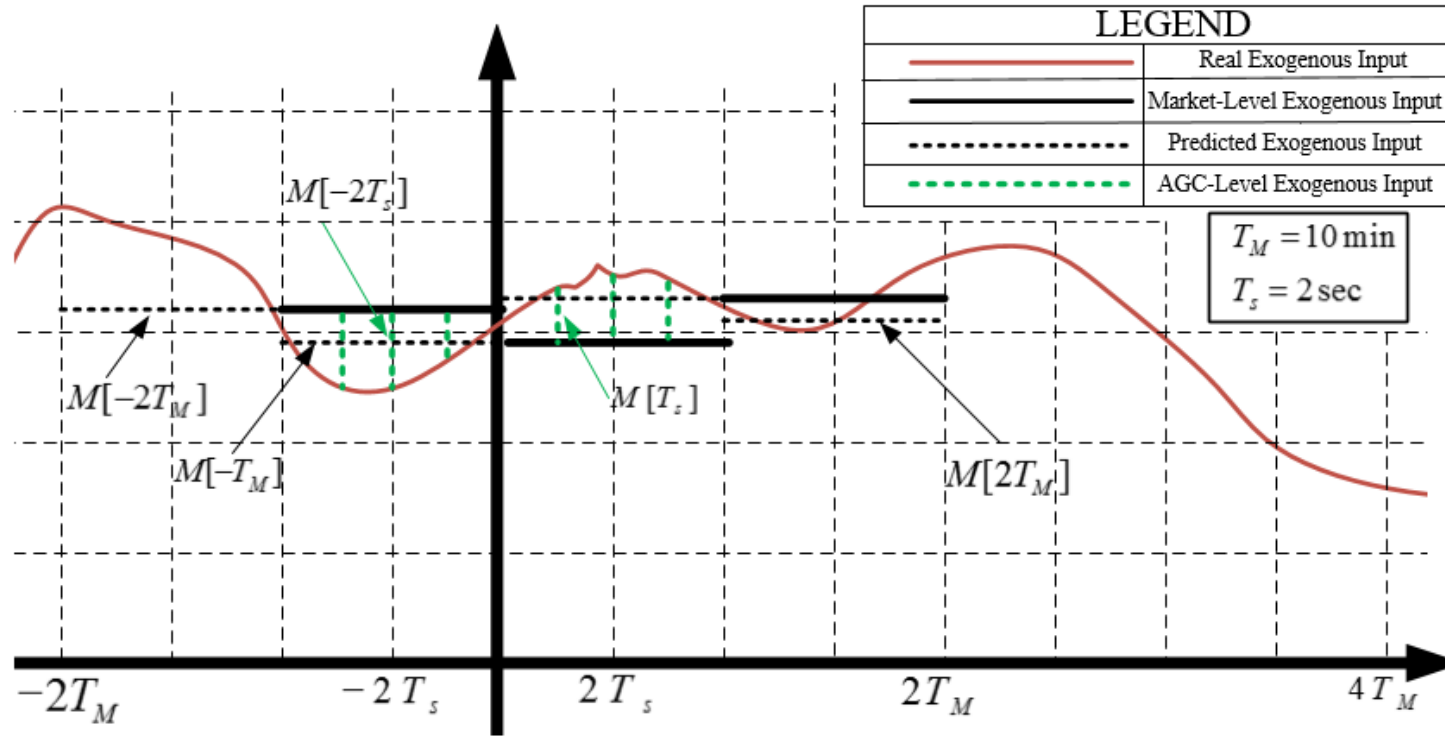
$T_M = 10 \text{ min}, 1 \text{ hour}, 24 \text{ hour}$

$T_s = 1 - 60 \text{ sec}$

- Responsive load (for example: Smart building) can have:

$$u_i = \underbrace{u_i(t)}_{\text{Local}} + \underbrace{u_i^{ref} [k \cdot T_s]}_{\text{AGC}} + \underbrace{u_i^{ref} [k \cdot T_M]}_{\text{Market}}$$

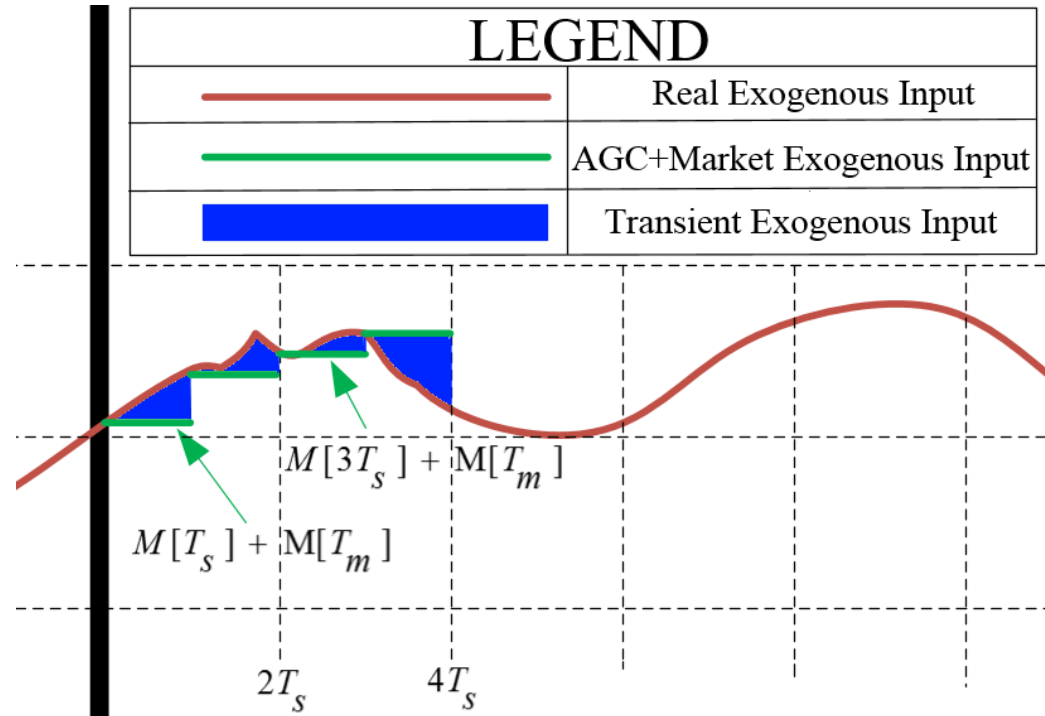
# Multi-temporal exogenous input – Zoom Out



$$m_i(t) = \underbrace{M_i[K \cdot T_M]}_{\text{Real Exogenous Input}} + \underbrace{M_i[k \cdot T_s]}_{\text{AGC-Level Exogenous Input}} + \underbrace{\Delta m_i(t)}_{\text{Transient Exogenous Input}}$$

Market-Level Exogenous Input

# Multi-temporal exogenous input – Zoom In



$$\underbrace{m_i(t)}_{\text{Real Exogenous Input}} = \underbrace{M_i[K \cdot T_M]}_{\text{Market-Level Exogenous Input}} + \underbrace{M_i[k \cdot T_s]}_{\text{AGC-Level Exogenous Input}} + \underbrace{\Delta m_i(t)}_{\text{Transient Exogenous Input}}$$

# Generalized multi-temporal family of interacting models – module level

Electromagnetic (EM) phenomena	Electro-mechanical (EMech) phenomena	Quasi-stationary (QS) regulation	QS short-term	QS long(er)-term
Time-varying phasors (EM)	Time-varying phasors (EMech)	$P[kT_s], Q[kT_s], V[kT_s]$ driven by $M[kT_s]$ ; controlled by $u[kT_s]$	$P[KT_t], Q[KT_t], V[KT_t]$ driven by $M[KT_t]$ and controlled by $u[KT_t]$	New equipment/topology driven by long-term predictions

# Multi-layered interactive models for interconnected system (unifying transformed state space)

- Standard state space of interconnected system

$$\dot{\bar{X}}_A = f_A(\bar{X}_A, Z_A, P_A, u_A)$$

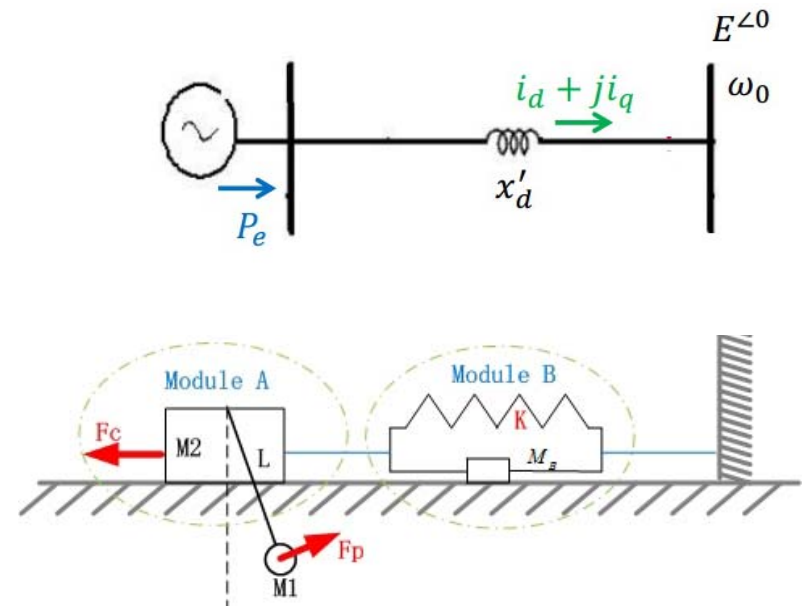
$$\dot{Z}_A = f_{ZA}(\bar{X}_A, Z_A, P_B)$$

$$\dot{P}_A = f_{PA}(\bar{X}_A, P_A, \dot{P}_B)$$

$$\dot{Z}_B = f_{ZB}(Z_B, P_A, u_B)$$

$$\dot{P}_B = f_{PB}(P_B, \dot{P}_A)$$

Interaction level model for coordination

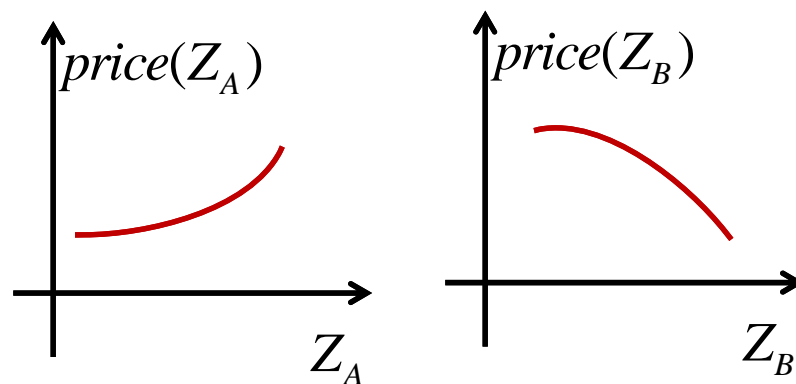
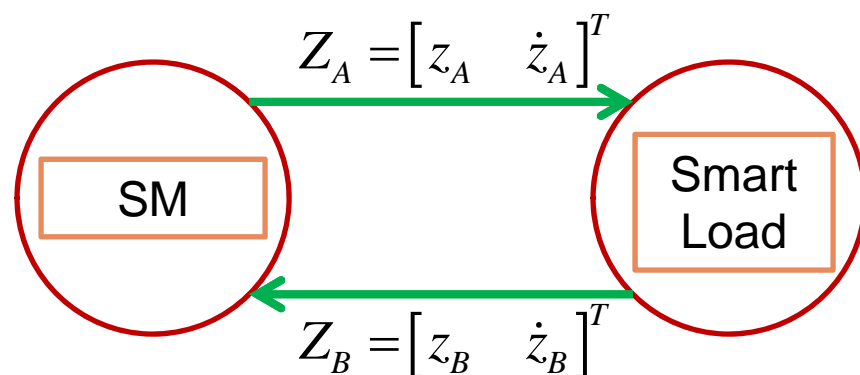


- Less assumption and communication are needed;
- System dynamics are separated into multi-layer system: internal layer and interaction layer;
- Based on above frame work, different control strategy can be used and designed: competitive or cooperative control









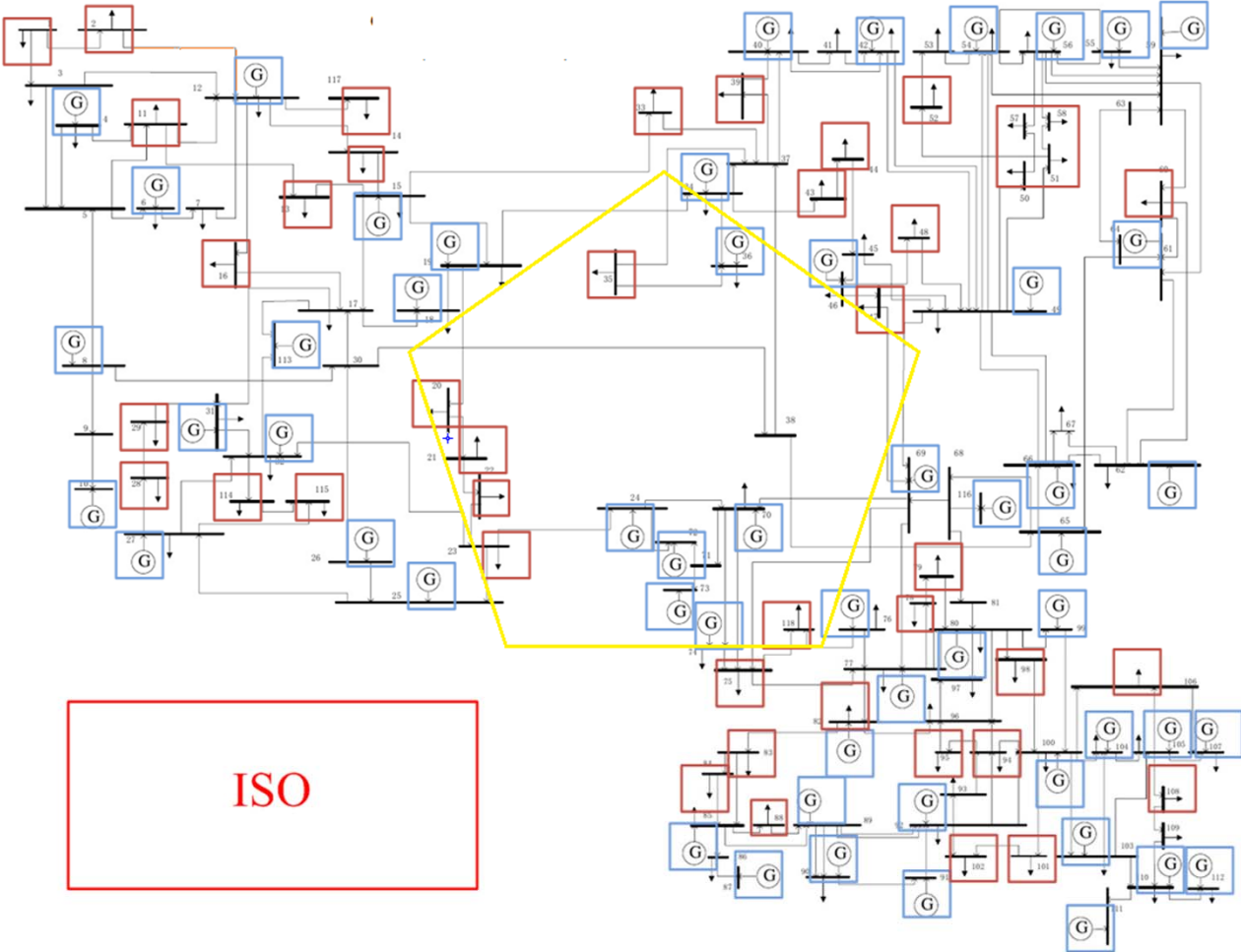
## Required information exchange for interconnected system

- To ensure reliability (stability, feasibility)
  - Must be exchanged interactively. They represents the total incremental energy & its rate of change; In steady state, decoupled assumption will be **P & Q**
  - Ranges (convex function) instead of points exchanged (DyMonDS)
  
- For distributed interactive optimization
  - System-level optimization is the problem of “clearing” the distributed bids according to system cost performance [P, Q info processing requires AC OPF instead of DC OPF]

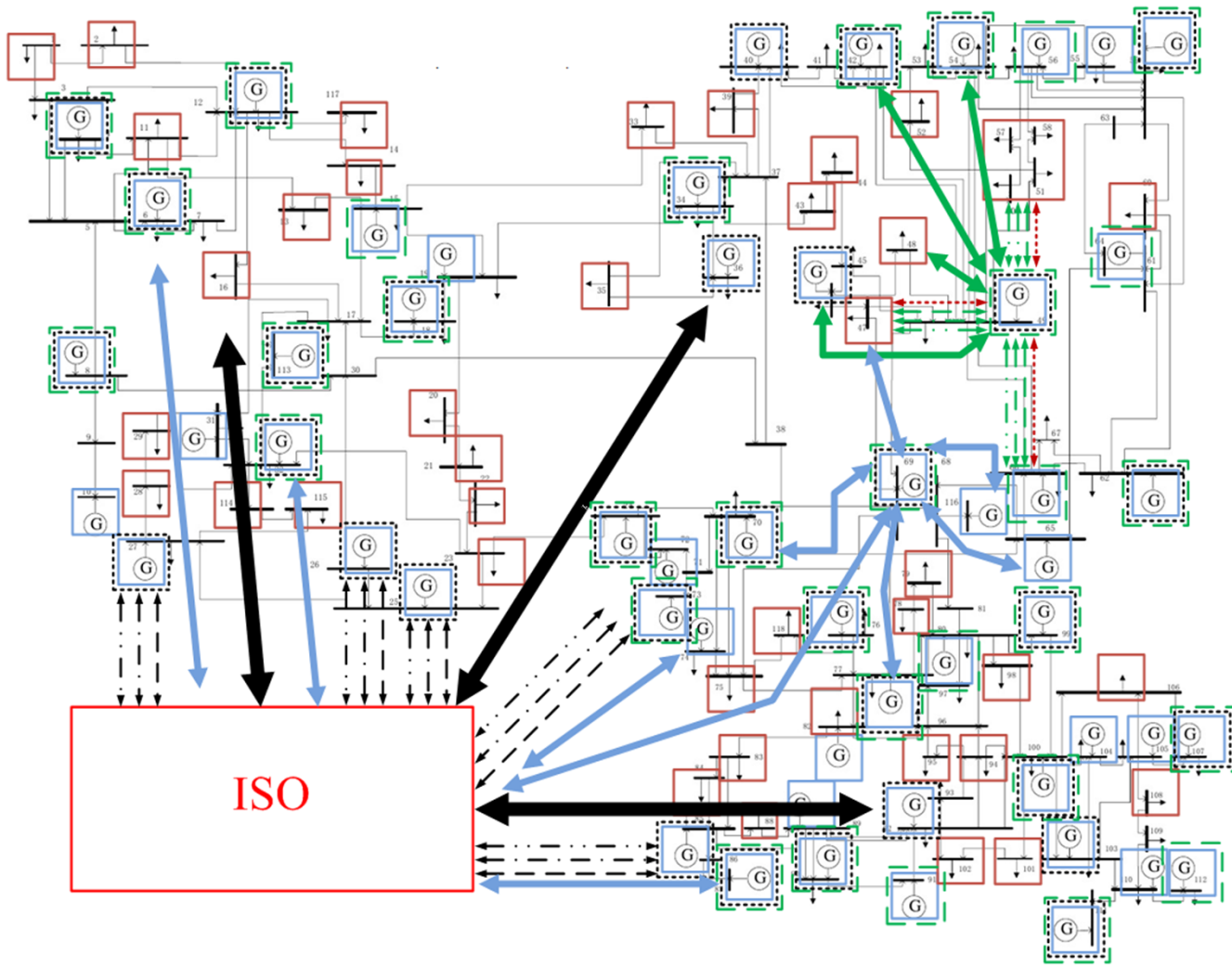


# Basis for DyMonDS SGRS

LEGEND	
	Load Module
	General-Generator Module (Abstract Class)
	ISO Module
	Power Grid Module
	Wire Module
	Bus Module

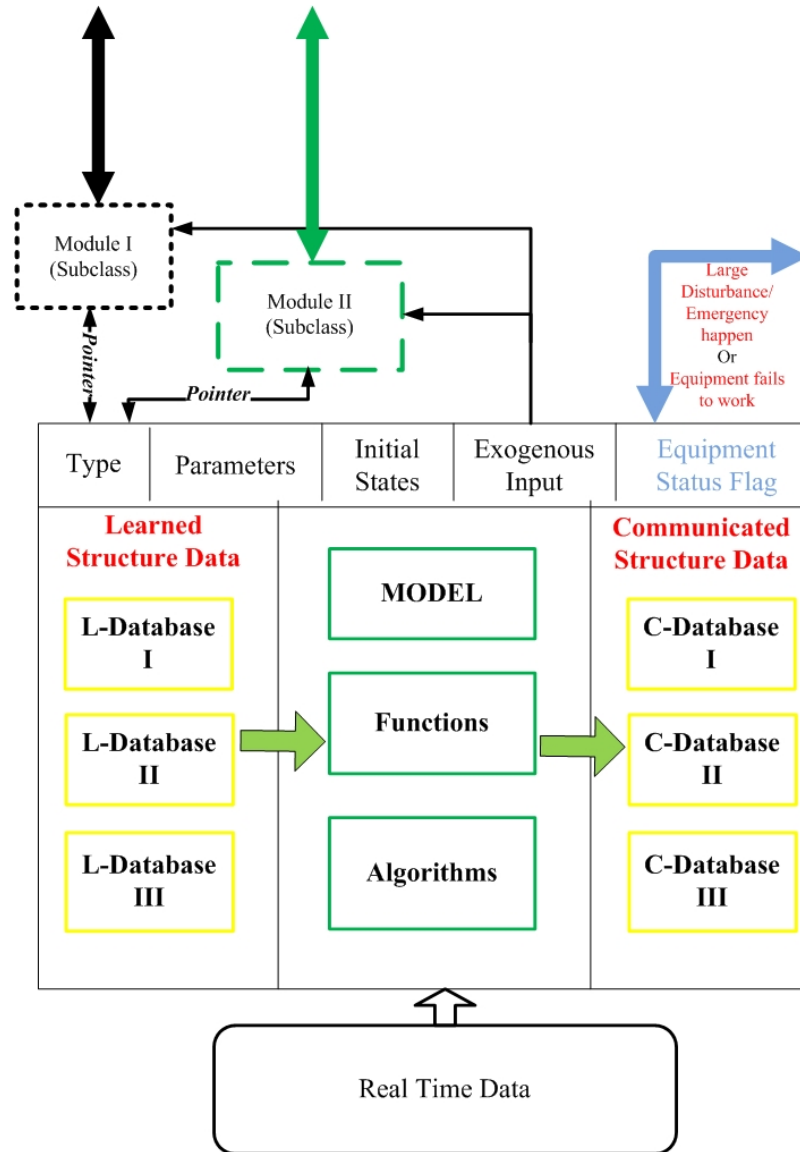


# Information Exchange Between Modules

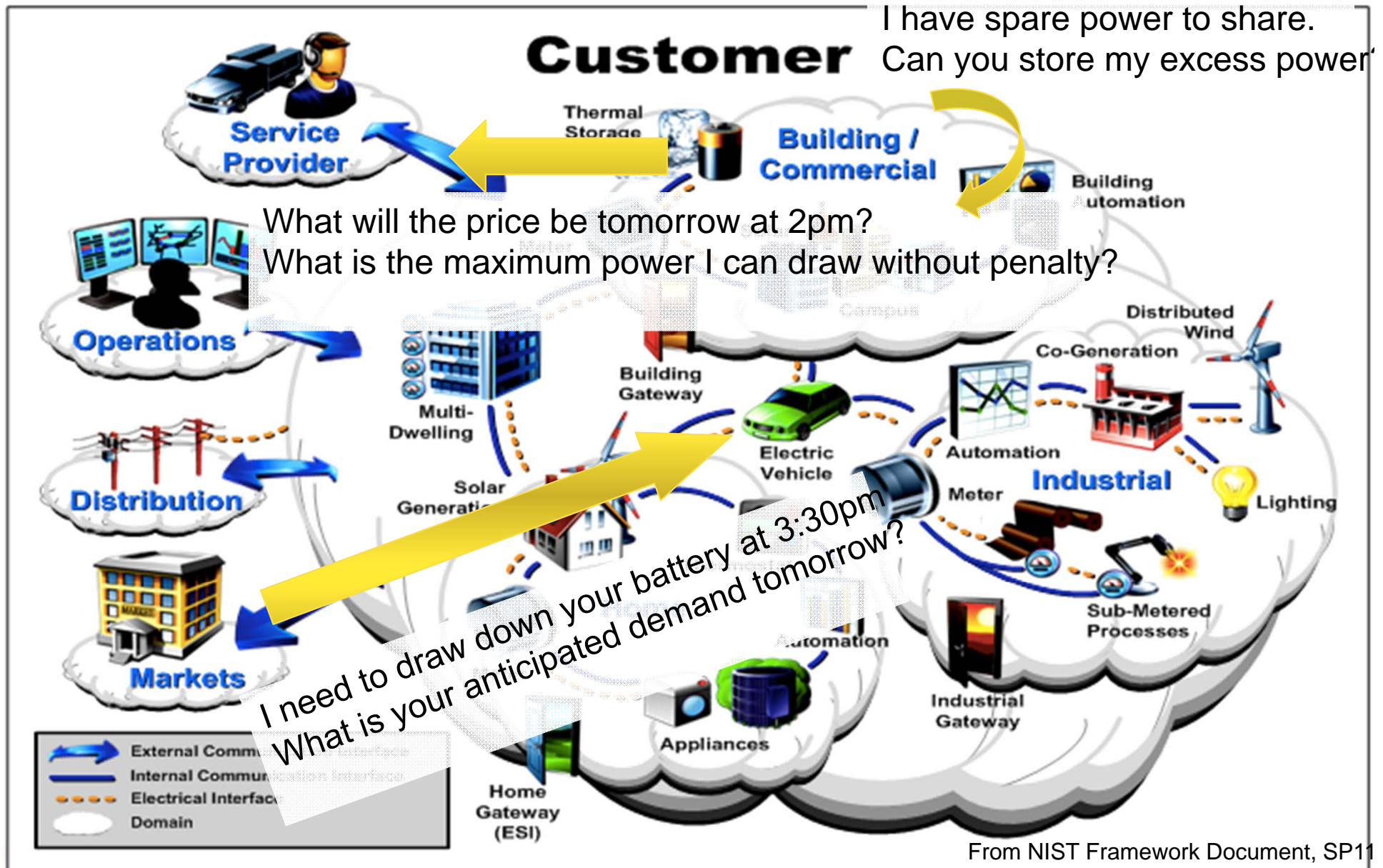


LEGEND	
	Load Module
	General-Generator Module (Abstract Class)
	Market-Generator Module (Subclass)
	SDYNS-Generator Module (Subclass)
	Market Purpose Communication
	24 Hour Information
	1 Hour Information
	10 Min Information
	Dynamics Purpose Communication
	AGC Information
	Stabilization Information (Small Signal)
	Transient Stabilization Information
	Regulation Information
	Equipment Status Communication

# General Module Structure



# Integration of Smart Consumers (DER)



## Concluding remarks

- Physics-based modeling of electric power systems with non-zero mean disturbances
- Multi-layered dynamic models with explicit interaction variables relevant for coordinating levels
- Basis for consistent interactive communication within the multi-layered architecture
- Examples of problems with non-interactive information exchange (potentially unstable markets)
- Examples of enhanced AGC (E-AGC) for consistent frequency stabilization and regulation in response to non-zero mean disturbances
- Examples of fast power electronically switched cooperative control
- General communication protocols for DyMonDS Smart Grid in a Room Simulator (SGRS) based on these models
- The basis for general purpose scalable SGRS to emulate system response in the emerging power systems
- The challenge for user is to change their centralized method to DyMonDS based form

Thank you & Questions