# Influence-directed explanations for deep networks

Anupam Datta Spring 2019 18739: Security and Fairness of Deep Learning

#### Deep Learning Systems are Opaque



Why this diagnosis from the GoogleNet neural network?

# Vision: Explainable Deep Learning Systems

# Reveal meaningful information about the logic of the machine learnt prediction/decision model

- Enable humans + machines to make better decisions together
- Build trust in and debug models
- Protect societal values (fairness, privacy)
- Applications: Finance, healthcare, ...

#### 2-Layer neural network

 $s = W_2 \max(0, W_1 x)$ 



- Iterated construction: linear function followed by non-linear function
- A "deep network" has many such layers
- Difficult for humans to understand network behavior

#### Goals

- 1. Design mechanism for explaining behavior of deep neural networks by examining inner workings
  - What concept did the network use to classify an image into class A?
  - What is the essence of a class from the network's point of view?
  - What concept did the network use to classify an image into class A instead of class B?
- 2. Evaluate explanation mechanism
  - Empirically and analytically

Influence-directed explanations [Leino, Sen, Datta, Fredrikson, Li 2018]

#### Explaining property of a ML system = identify influential factors + make them human interpretable

- Influence: What are important factors causing this model property?
- Interpretation: What do these factors mean?

#### Influence-directed explanations for deep networks

- Rank causally influential neurons in internal layers (novel!)
- Give them interpretation using visualization techniques (prior work)



First result with internal influence measure for deep networks

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# Why classified as diabetic retinopathy stage 5?

#### Inception network











# Why did the network classify input as sports car?



Input image

Influence-directed Explanation

### Why sports car instead of convertible?

VGG16 ImageNet model



Input image

Influence-directed Explanation

Uncovers high-level concepts that generalize across input instances



# Outline

- Design of explanation mechanism
  - Distributional influence
  - Interpretation with visualization
- Evaluation of explanation mechanism
  - Explaining instances
  - Identifying influential concepts
  - Analytical justification

#### Decomposing network



$$y = f(x) = g(h(x))$$

- Slice of network  $s = \langle g, h \rangle$  identifies layer whose neurons are examined
- Inputs drawn from distribution of interest P
- Quantity of interest f identifies network behavior to be explained

#### Distributional influence



# VGG16 model trained on ImageNet



Input image

Influence-directed Explanation

- Slice of network identifies layer whose neurons are examined: conv4\_1
- Inputs drawn from distribution of interest P: training distribution
- Quantity of interest fidentifies network behavior to be explained: difference in class scores of "sports car" and "convertible"

#### Nearest neighbors

- Integrated gradients [Sundarajan et al., ICML 2017]
  - Input influence not internal influence
  - Analytically justified measure but different axioms
- Quantitative input influence [Datta et al., S&P 2016, Datta et al. IJCAI 2015]
  - Input influence not internal influence
  - Analytically justified measure but different axioms
  - Suited for non-differentiable model

Inspired by work in co-operative game theory

#### Related work



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# Interpreting influential neurons



Depicts interpretation (visualization) of 3 most influential neurons

- Slice of VGG16 network: conv4\_1
- Inputs drawn from distribution of interest: delta distribution
- Quantity of interest: class score for correct class

# Interpreting influential neurons



Visualization method: Saliency maps [Simonyan et al. ICLR 2014]

- Compute gradient of neuron activation wrt input pixels
- Scale pixels of original image accordingly

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- Neurons influential for class on-average also influential for individual instances of class
- Not so for input influence (Integrated Gradients)



# Score for correct class drops rapidly as most influential neurons are turned off

# Validating the essence of a class

- Produce compressed model by keeping only most influential neurons for class *i*
- Convert to binary class predictor that distinguishes class *i* from all others

x h g y 
$$f_i = \left(f \Big|^i, \sum_{j \neq i} f \Big|^j\right)$$

#### Validating the essence of a class

Class	Orig.	Infl.
Chainsaw (491)	.14	.71
Bonnet (452)	.62	.92
Park Bench (703)	.52	.71
Sloth Bear (297)	.36	.75
Pelican (144)	.65	.95

Compressed model with ~ top 1% influential neurons has comparable recall

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#### Unique measure theorem

Influence = average gradient over distribution of interest



Theorem: Unique measure that satisfies a set of natural properties

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# What are these "natural properties"?

- 1. Linear agreement
  - For linear models, the influence of an input variable is its coefficient
- 2. Distributional faithfulness
  - Incorporate information about training distribution in influence measure
- 3. Internal influence invariances
  - Make influence measures depend only on the computed functions (ignoring differences in implementations)

Novel ideas here!

#### Distributional marginality property

marginality If  $\left( \frac{\partial f_1}{\partial x_i} \Big|_X = \frac{\partial f_2}{\partial x_i} \Big|_X \right)$ 

then

 $\chi_i(f_1, P) = \chi_i(f_2, P).$ 

- Marginality principle well known in co-operative game theory (e.g., Integrated Gradients)
- Restriction to distribution important for deep networks since network behavior unpredictable outside manifold

#### Summary

- 1. Design mechanism for explaining behavior of deep neural networks by examining inner workings
  - Distributional influence

- 2. Evaluate explanation mechanism
  - Empirically: explaining instances, identifying general concepts
  - Analytically: Unique influence measure that satisfies natural properties

#### Research directions

- Explanations for other kinds of models [Datta et al. S&P 2016]
- Explanations to improve privacy and fairness [Datta et al. CCS 2017, Yeom et al. NIPS 2018]
- Explanations that span the training process
- Adversarial training and its interaction with explanations

• ...

#### Proxy use is an influence-directed explanation [Datta, Fredrikson, Ko, Mardziel, Sen CCS 2017]



Target pregnancy case (2012), Google sleep apnea case (2013-14)

# Vision: Explainable Machine Learning Systems

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#### Toward the Third Wave in Al

# Thanks! Questions?

# Additional slides

#### Formal properties

Axiom 1 (Linear Agreement). For linear models of the form  $f(\mathbf{x}) = \sum_{i} \alpha_{i} x_{i}, \chi_{i}(f, P) = \alpha_{i}$ .

Axiom 2 (Distributional marginality (DM)). If,  $P\left(\frac{\partial f_1}{\partial x_i}\right|_X = \frac{\partial f_2}{\partial x_i}\Big|_X$ ) = 1, where X is the random variable over in-

stances from  $\mathcal{X}$ , then  $\chi_i(f_1, P) = \chi_i(f_2, P)$ .

Axiom 3 (Distribution linearity (DL)). For a family of distributions indexed by some  $a \in \mathcal{A}$ ,  $P(x) = \int_{\mathcal{A}} g(a)P_a(x)da$ , then  $\chi_i(f, P) = \int_{\mathcal{A}} g(a)\chi_i(f, P_a)da$ .

#### Unique input influence measure

**Theorem 1.** The only measure that satisfies linear agreement, distributional marginality and distribution linearity is given by

$$\chi_i(f, P) = \int_{\mathcal{X}} \left. \frac{\partial f}{\partial x_i} \right|_{\mathbf{x}} P(\mathbf{x}) d\mathbf{x}.$$

Theorem 1. The only measure that satisfies linear agreement, distributional marginality and distribution linearity is given

$$\chi_i(f, P) = \int_{\chi} \frac{\partial f}{\partial x_i} \Big|_{\mathbf{x}} P(\mathbf{x}) d\mathbf{x}.$$

Proof. Choose any function f and  $P_{\mathbf{a}}(\mathbf{x}) = \delta(\mathbf{x}-\mathbf{a})$ , where  $\delta$  is the Dirac delta function on  $\mathcal{X}$ . Now, choose  $f'(\mathbf{x}) = \frac{\partial f}{\partial \mathbf{x}_i}|_{\mathbf{a}}x_i$ . By linearity agreement, it must be the case that,  $\chi(f', P_{\mathbf{a}}(\mathbf{x})) = \frac{\partial f}{\partial x_i}|_{\mathbf{a}}$ . By distributional marginality, we therefore have that  $\chi_i(f, P_{\mathbf{a}}) = \chi_i(f', P_{\mathbf{a}}) = \frac{\partial f}{\partial x_i}|_{\alpha}$ . Any distribution P can be written as  $P(\mathbf{x}) = \int_{\mathcal{X}} P(\mathbf{a})P_{\mathbf{a}}(\mathbf{x})d\mathbf{a}$ . Therefore, by the distribution linearity axiom, we have that  $\chi(f, P) = \int_{\mathcal{X}} P(\mathbf{a})\chi(f, P_{\mathbf{a}})da = \int_{\mathcal{X}} P(\mathbf{a})\frac{\partial f}{\partial x_i}|_{\mathbf{a}}d\mathbf{a}$ .

#### Related work

	Explanation framework properties			Influence properties	
	Quantity	Distribution	Internal	Faithfulness	Sensitivity
influence-	1	1	1	1.	1
directed					
integrate d		×*		1.	~
gradients				-	-
simple		< *		1.	1
Taylor		-		-	-
sensitivity				1	
analysis					
deconvolution			1 T	×	
guided			2t	1	
backpropagation			-		
relevance			2t	~	×-
propagation			-	-	-

# Diabetic retinopathy





Source: American Academy of Ophthalmology

# Debugging misclassification of stage 2 image Inception network







# Misclassification as deviations from class influence profiles



*Figure 6.* Distributional influence measurements taken on DR model (Section 3.3) at bottom-most fully connected layer. To compute the grid, the distribution of influence was conditioned on class 5 (a) and class 1 (b). Figure (a) depicts an instance from class 5 that was correctly classified as such, and (b) an instance from class 5 that was incorrectly classified as class 1. In (a) the influences depicted in the grid align closely with the class-wide ordering of influences, whereas in (b) they are visibly more random. White space in the middle of the grid corresponds to units with no influence on the quantity.

#### j-equivalent slices



Two slices  $s_1 = \langle g_1, h_1 \rangle$  and  $s_2 = \langle g_2, h_2 \rangle$  are *j*-equivalent if for all  $\mathbf{x} \in \mathcal{X}$ , and  $z_j \in \mathcal{Z}_j$ ,  $h_1(\mathbf{x})_j = h_2(\mathbf{x})_j$ , and  $g_1(h_1(\mathbf{x})_{-j}z_j) = g_2(h_2(\mathbf{x})_{-j}z_j)$ . Informally, two slices

#### Axioms

Axiom 4 (Slice Invariance). For all *j*-equivalent slices  $s_1$ and  $s_2$ ,  $\chi_j^{s_1}(f, P) = \chi_j^{s_2}(f, P)$ .

# Consistency of input and internal influence

• Equate the input influence of an input with the internal influence of a perfect predictor of that input



#### Axioms

Axiom 5 (Preprocessing). Consider  $h_i$  such that  $P(X_i = h_i(X_{-i})) = 1$ . Let  $s = \langle f, h \rangle$ , be such that  $h(x_{-i}) = x_{-i}h_i(x_{-i})$ , which is a slice of  $f'(\mathbf{x}_{-i}) = f(\mathbf{x}_{-i}h_i(\mathbf{x}_{-i}))$ , then  $\chi_i(f, P) = \chi_i^s(f', P)$ .

#### Unique internal influence measure

**Theorem 2.** The only measure that satisfies slice invariance and preprocessing is Equation 1.

$$\chi_j^s(f, P) = \int_{\mathcal{X}} \left. \frac{\partial g}{\partial z_j} \right|_{h(\mathbf{x})} P(\mathbf{x}) d\mathbf{x}$$

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### Focused explanations from slices



Influence-directed Explanation

**Integrated Gradients** 

#### Comparative explanations



Influence-directed Explanation